



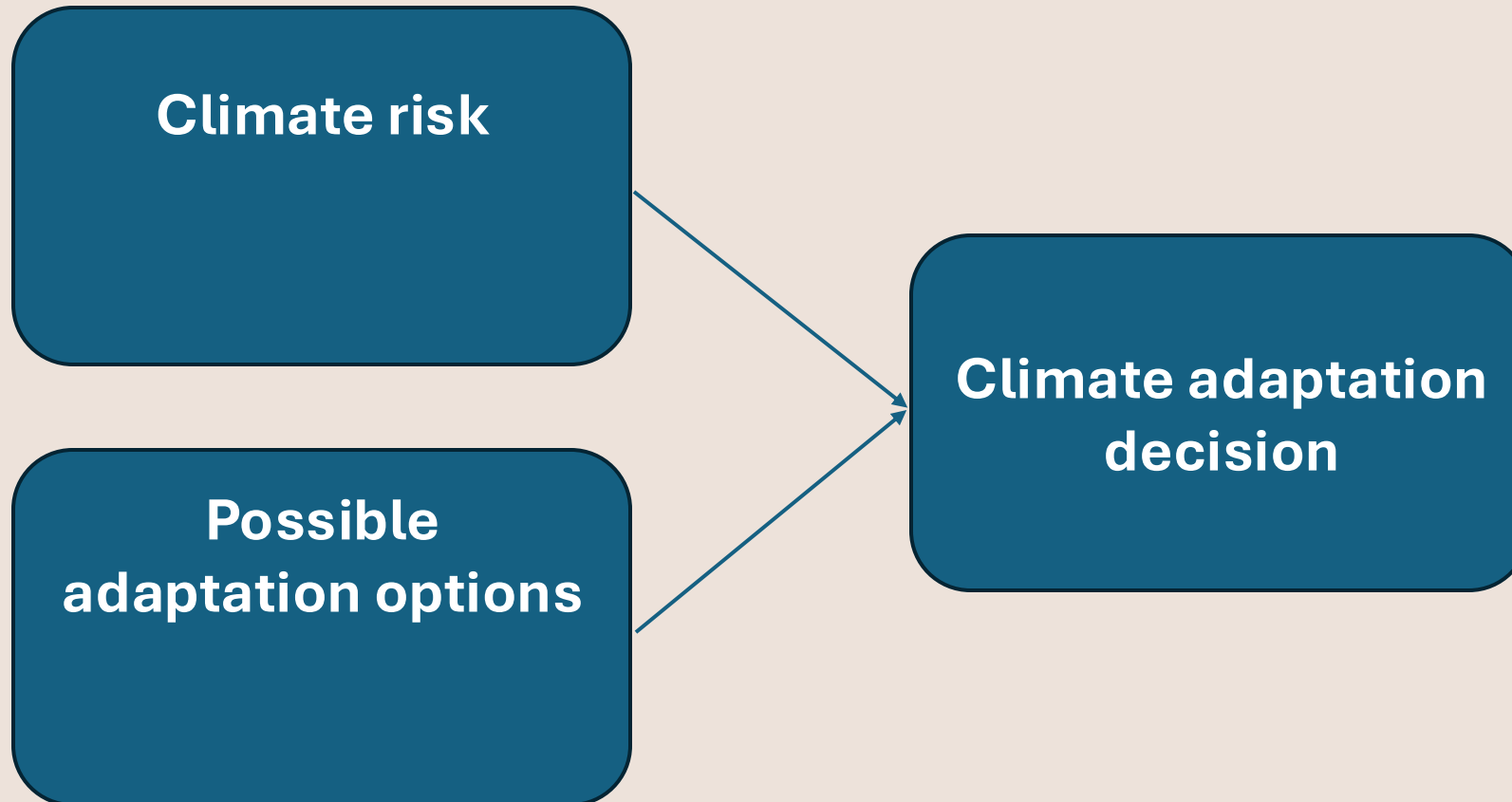
From climate risk to action: Analysing adaptation decision robustness under uncertainty

Cecina Babich Morrow

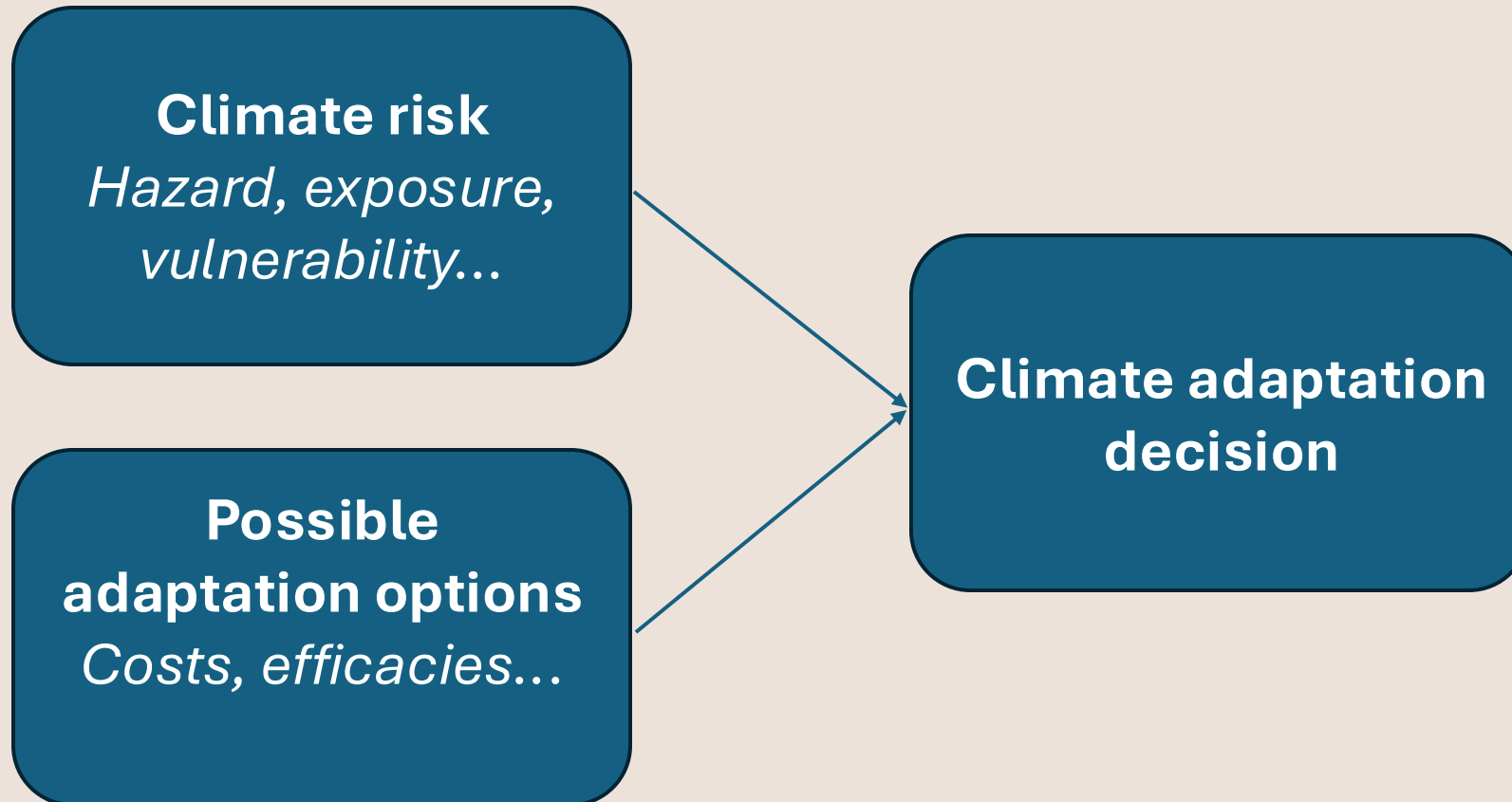
Supervisors: Laura Dawkins, Dan Bernie, Dennis Prangle

July 2026

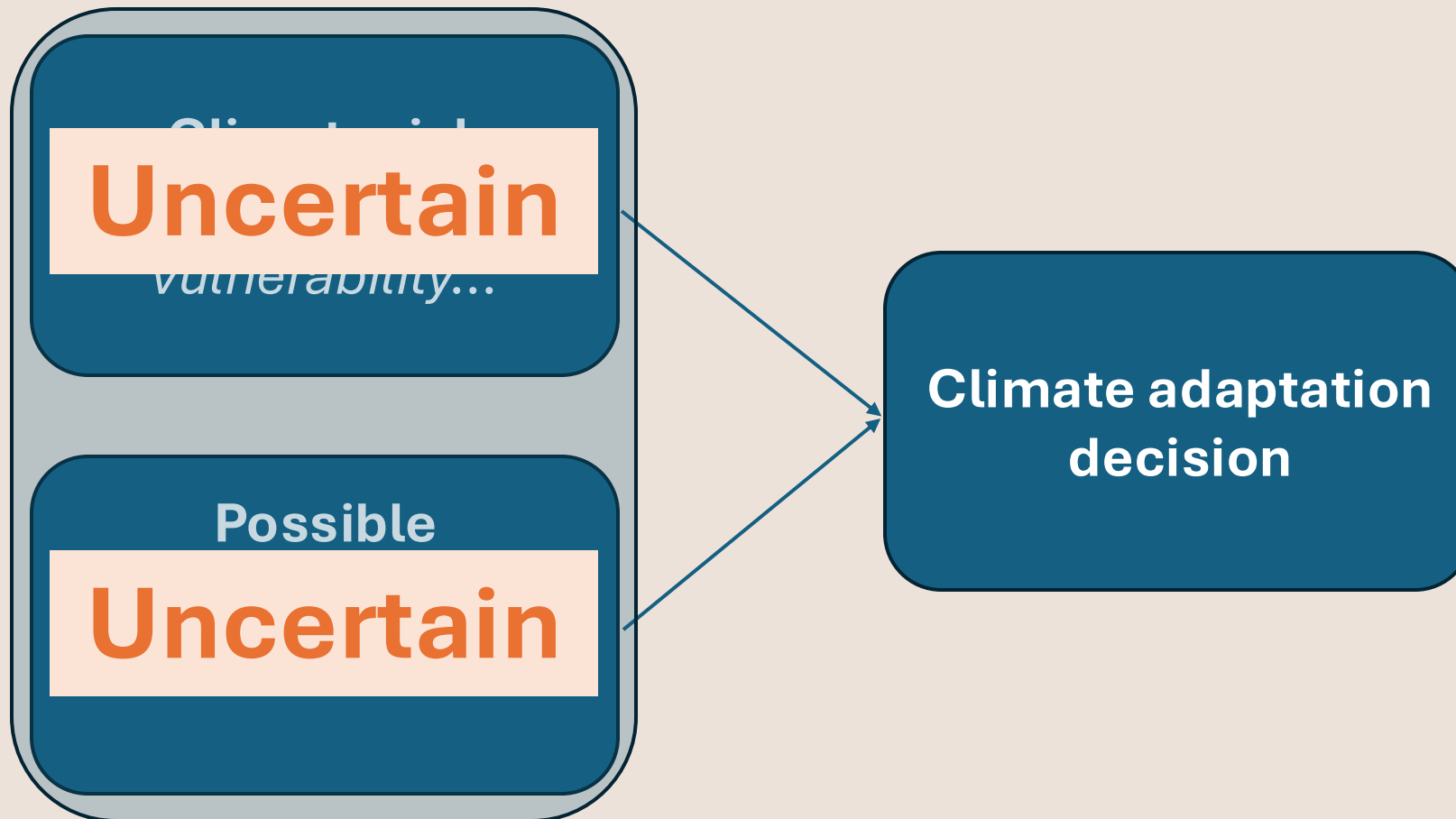
Climate adaptation decision-making



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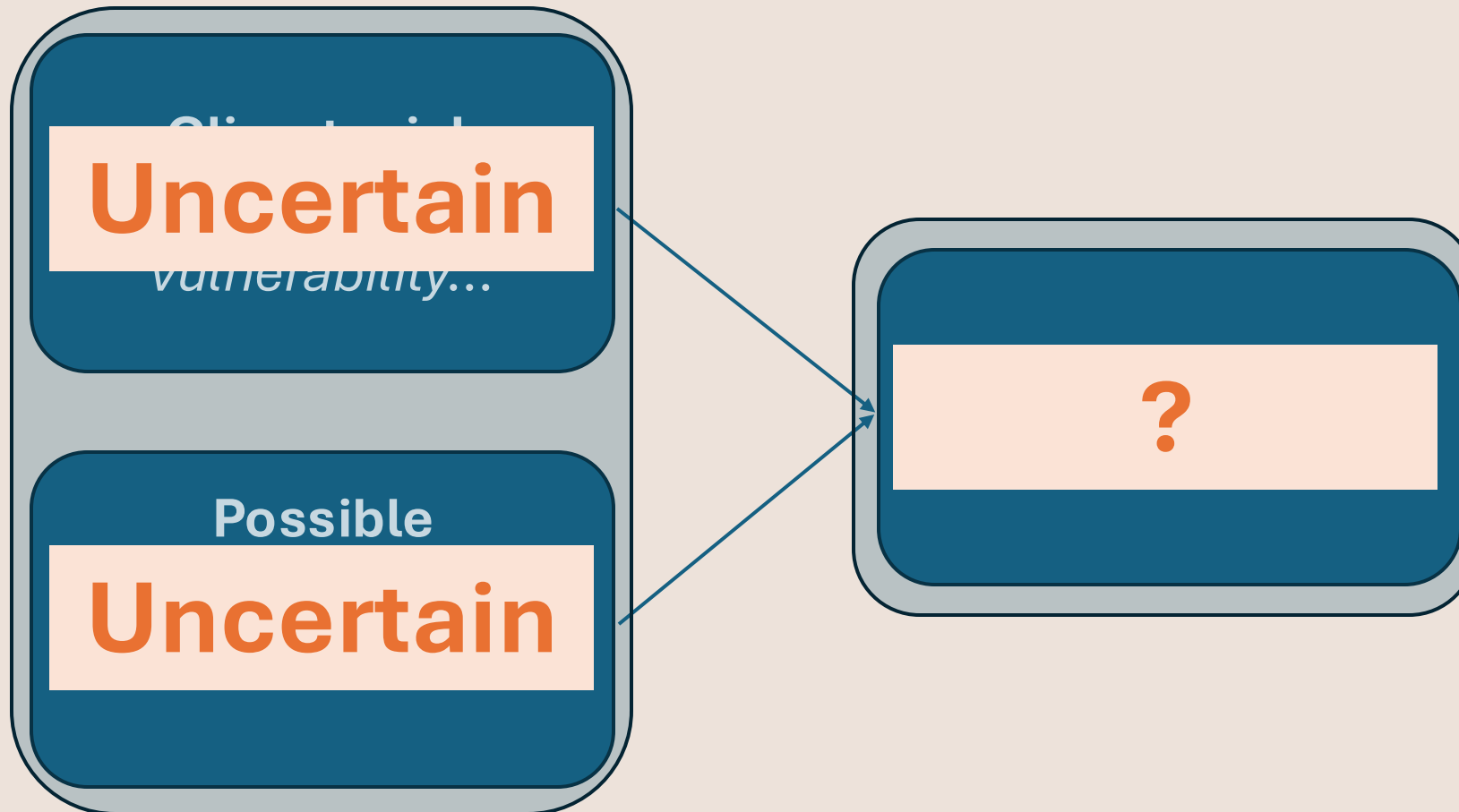


Climate adaptation decision-making



Climate adaptation decision-making

How can we make robust climate adaptation decisions?



When making adaptation decisions under uncertainty...



Where are different adaptation options most often optimal?

Are there regions where certain decisions dominate?



How **uncertain** is the optimal decision?

How does decision uncertainty relate to climate risk uncertainty?



Which inputs are the optimal decision **most sensitive** to?

How does the sensitivity of the optimal decision vary spatially?

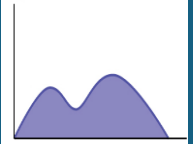


Example: Heat-stress in the UK

Bayesian Decision Analysis framework

Framework for decision-making under an uncertain state of nature

Θ : expected annual days of work lost to heat stress



$L(\theta, d)$
loss
function

$\mathcal{L}$: losses

- Financial
- Non-financial

$U(L(\theta, d))$
utility
function

$\mathbb{R}$
*Relative utility of each
adaptation given level
of heat stress*

$\mathcal{D}$: decisions

d_1 : do nothing

d_2 : modify working hours

d_3 : buy cooling equipment

d^*

*Optimal adaptation
decision in each
location*

Bayes optimal decision

Select the decision that maximises expected utility:

Bayes decision under utility U

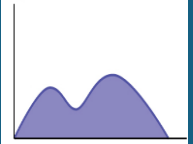
Select the decision d^* such that

$$d^* = \arg \max_d \sum_{\theta \in \Theta} U[L(\theta, d)] p(\theta) = \arg \max_d \bar{U}(d)$$



Uncertainty in risk

Θ : expected annual days of work lost to heat stress



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Quantifying uncertainty

Following Dawkins et al. 2023:

- Input hazard, exposure, and vulnerability data
- Apply a risk assessment model to each climate model ensemble member
- Generate 1000 samples of risk per location using Generalised Additive Models (GAMs)

Hazard
*Humidex
(temperature
& humidity)*

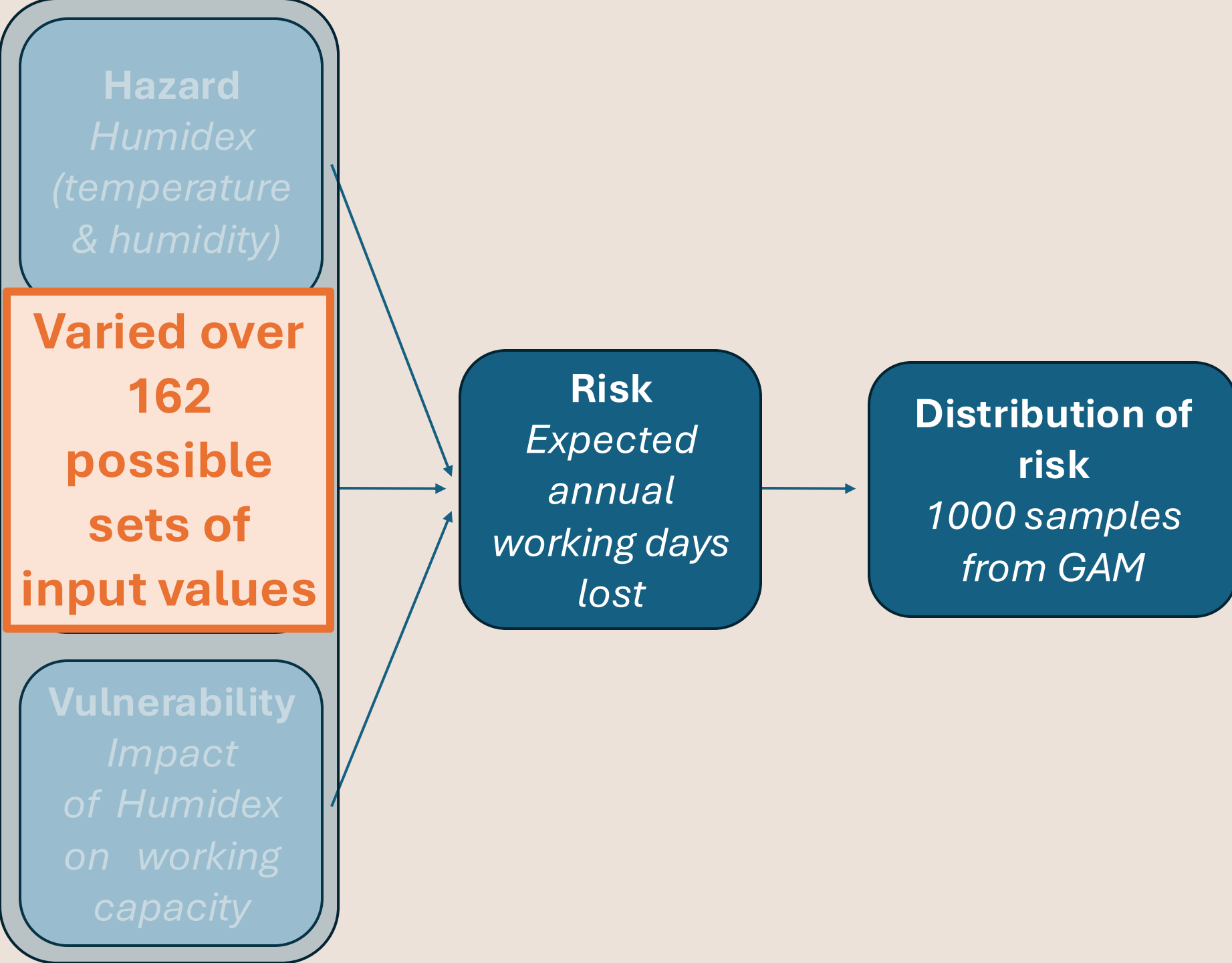
Exposure
*Number of
people
working in
outdoor jobs*

Vulnerability
*Impact of
Humidex on
working
capacity*

Risk
*Expected
annual
working days
lost*

**Distribution of
risk**
*1000 samples
from GAM*

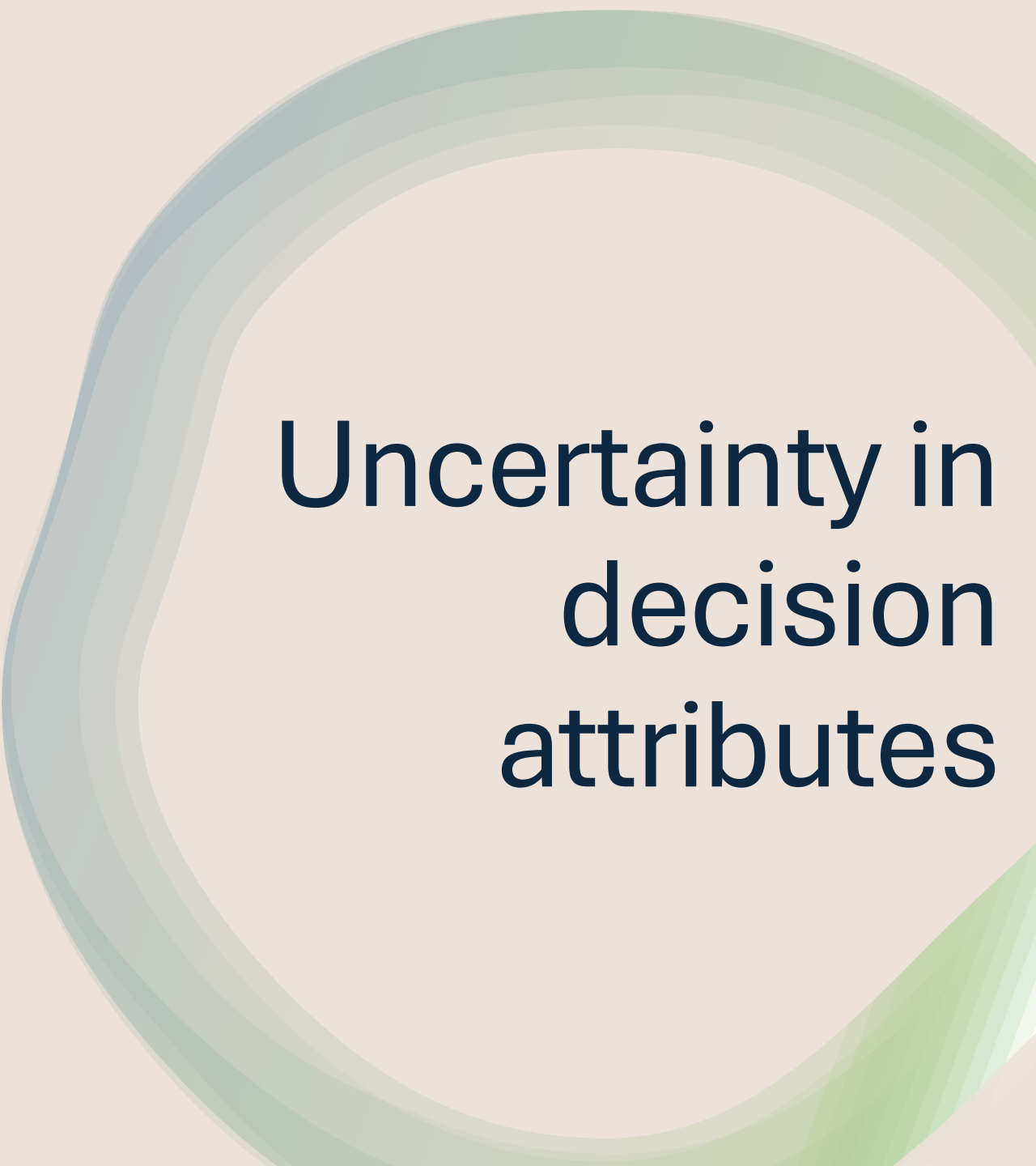




Uncertain risk-related inputs

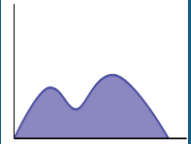
Sample the risk for each combination of plausible values for 5 risk-related inputs:

- Hazard: calibration method, warming level
- Exposure: exposure model
- Vulnerability: function parameters



Uncertainty in decision attributes

Θ : expected annual days of work lost to heat stress



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Loss functions

$L(\theta, d): \Theta \times \mathcal{D} \rightarrow \mathcal{L}$ is the loss of making decision d if the true state of nature is θ

For a location j , GAM sample n , and decision i :

Financial loss:

$$L_1(\theta_{jn}, d_i) = (\text{cost per person per year}_i \times \text{number of people}_j) \\ + (\text{cost per day of work} \times (1 - \% \text{ effectiveness}_i) \times \theta_{jn})$$

Non-financial loss:

$$L_2(\theta_{jn}, d_i) = 10 - s_i \text{ where } 0 \leq s_i \leq 10$$

Utility function

$U(L(\theta, d)): \mathcal{L} \rightarrow \mathbb{R}$ represents the relative value of each decision

For a location j , GAM sample n , and decision i :

Financial utility	Non-financial utility
$U_1(L_1(\theta_{jn}, d_i)) = 1 - \frac{L_1(\theta_{jn}, d_i)}{\max_{n', i'} L_1(\theta_{jn'}, d_{i'})}$	$U_2(L_2(\theta_{jn}, d_i)) = 1 - \frac{L_2(\theta_{jn}, d_i)}{10}$

Overall utility function:

$$U(\theta_{jn}, d_i) = k_1 U_1(L_1(\theta_{jn}, d_i)) + k_2 U_2(L_2(\theta_{jn}, d_i)) \text{ where } k_1, k_2 \geq 0, k_1 + k_2 = 1$$

Uncertain decision-related inputs

Financial loss:

$$L_1(\theta_{jn}, d_i) = (\text{cost per person per year}_i \times \text{number of people}_j) \\ + (\text{cost per day of work} \times (1 - \% \text{ effectiveness}_i) \times \theta_{jn})$$

Non-financial loss:

$$L_1(\theta_{jn}, d_i) = 10 - s_i$$

Utility:

$$U(\theta_{jn}, d_i) = k_1 U_1(L_1(\theta_{jn}, d_i)) + k_2 U_2(L_2(\theta_{jn}, d_i))$$

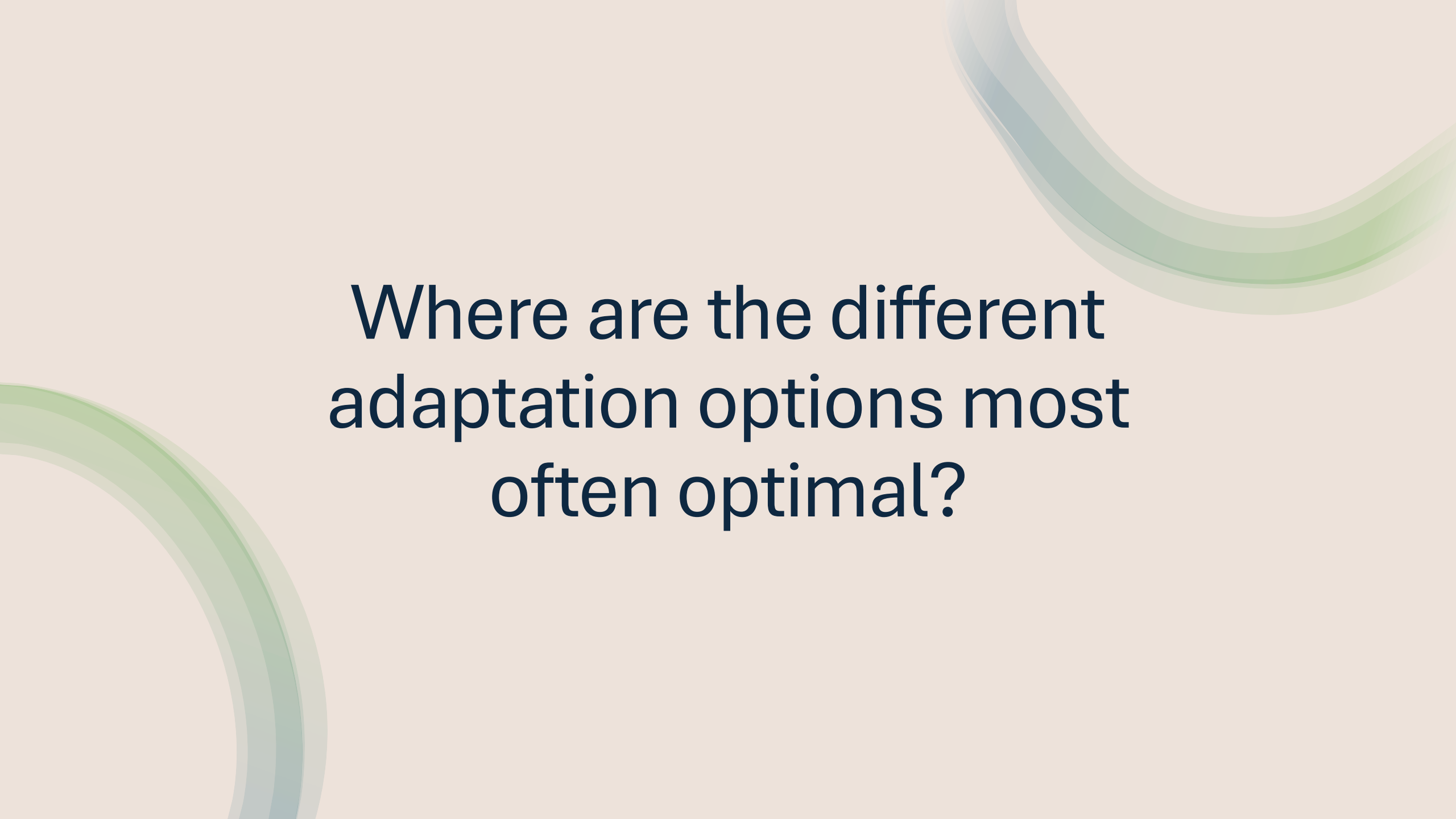
Varied by
taking 200
samples
from a
range of
plausible
values

Overall process

- Vary the risk-related inputs across a range of 162 combinations → record the optimal decision in each location
- Vary both risk-related and decision-related inputs across a range of $162 \times 200 = 32,400$ combinations → record the optimal decision in each location
- Characterise the uncertainty of the optimal decision & its sensitivity to each input



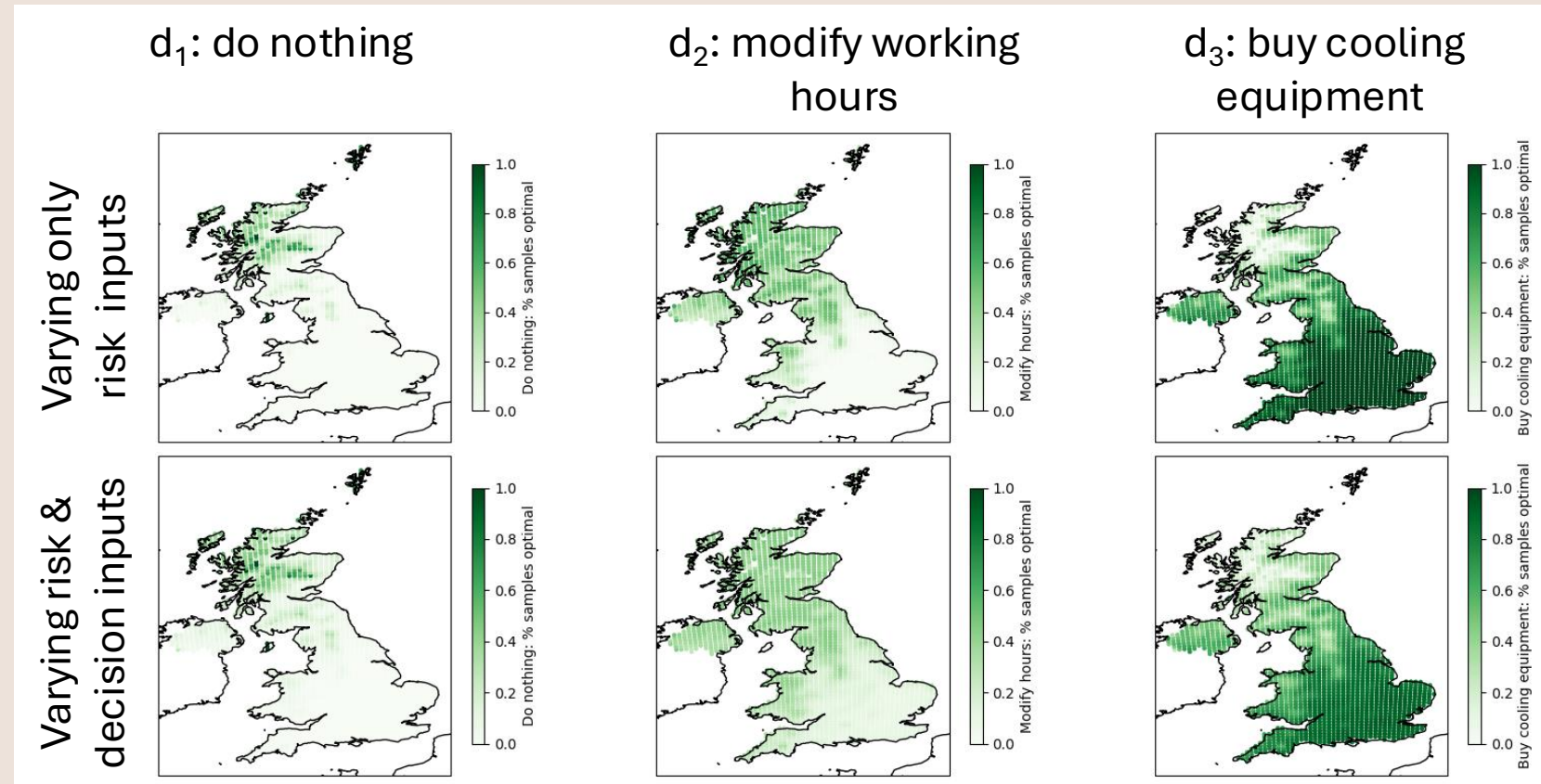
Results

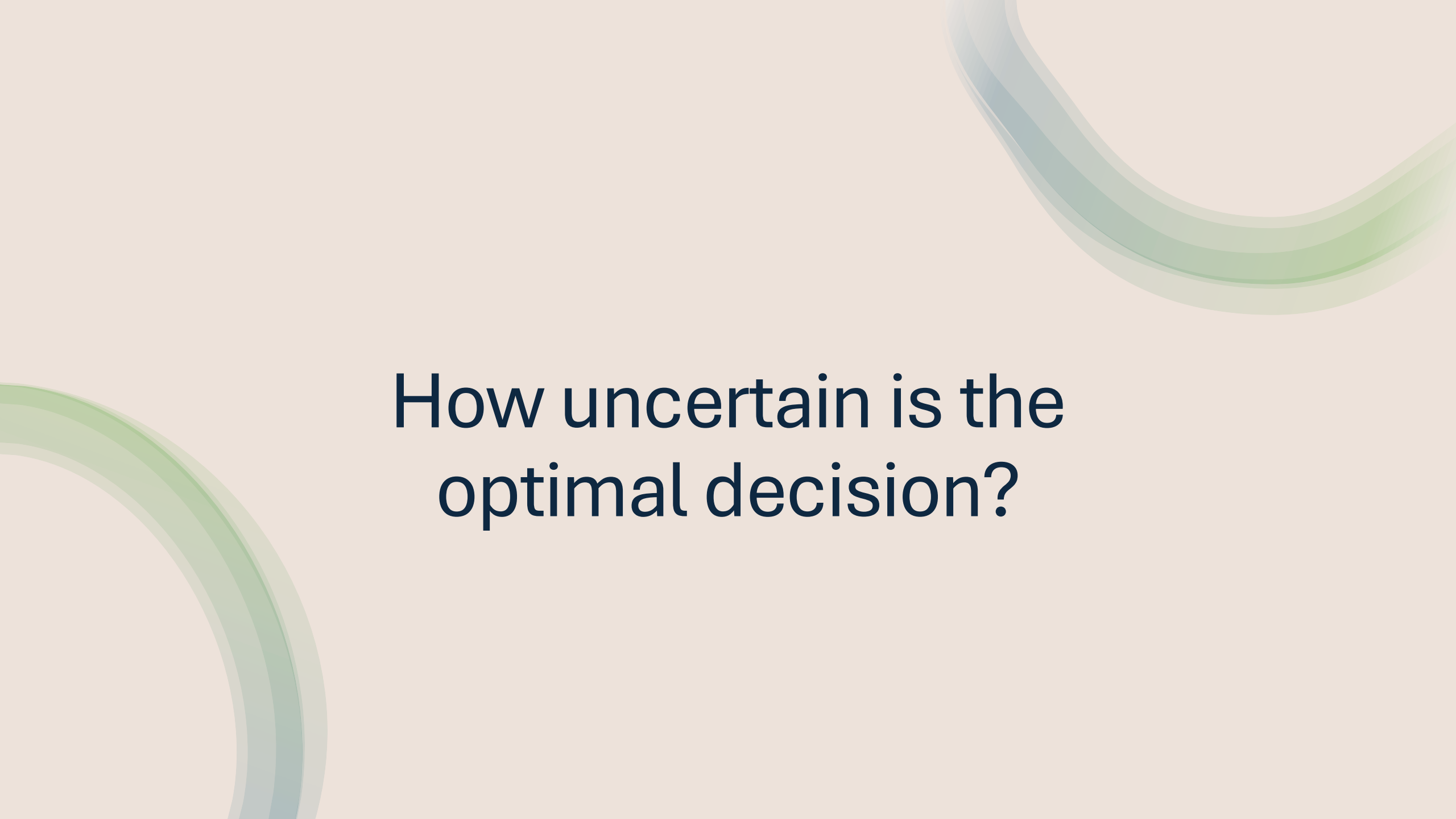


Where are the different
adaptation options most
often optimal?

Optimal decision by location

- **Spatial** distribution of where certain decisions are more often optimal
- We are less certain in the decision when varying risk **and** decision-related inputs

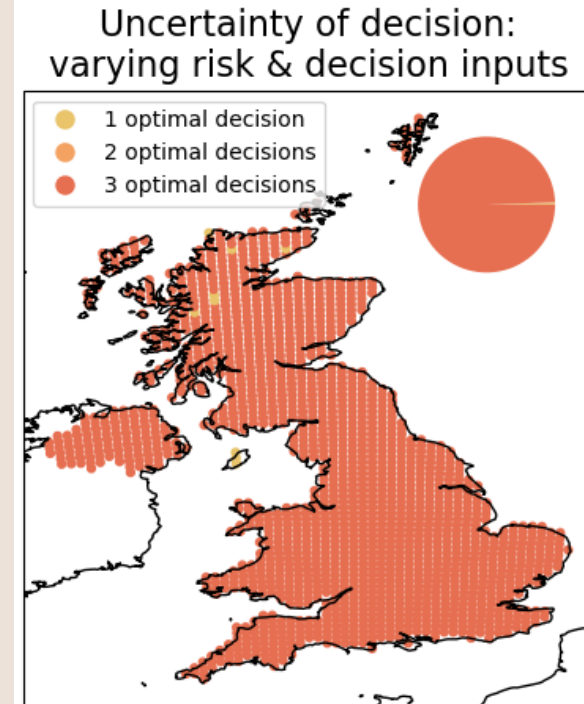
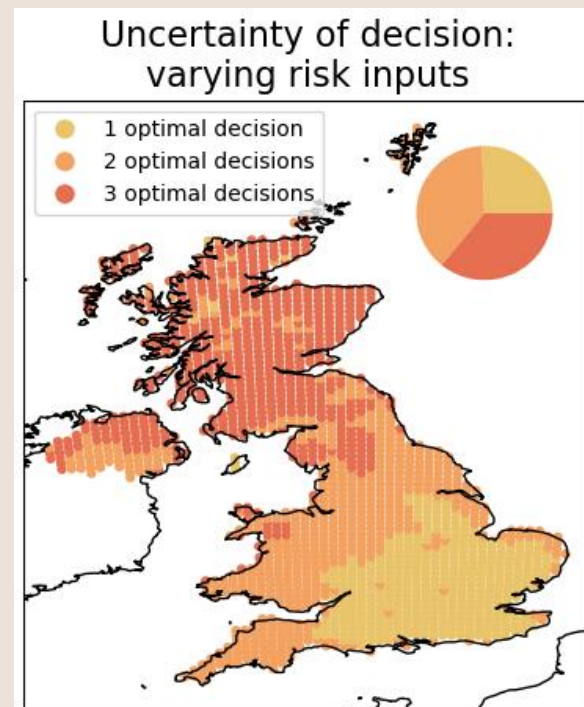
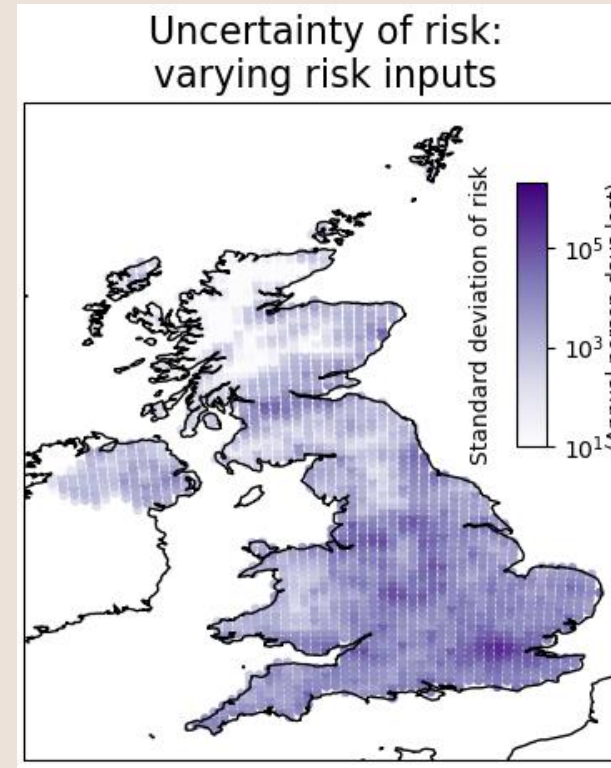


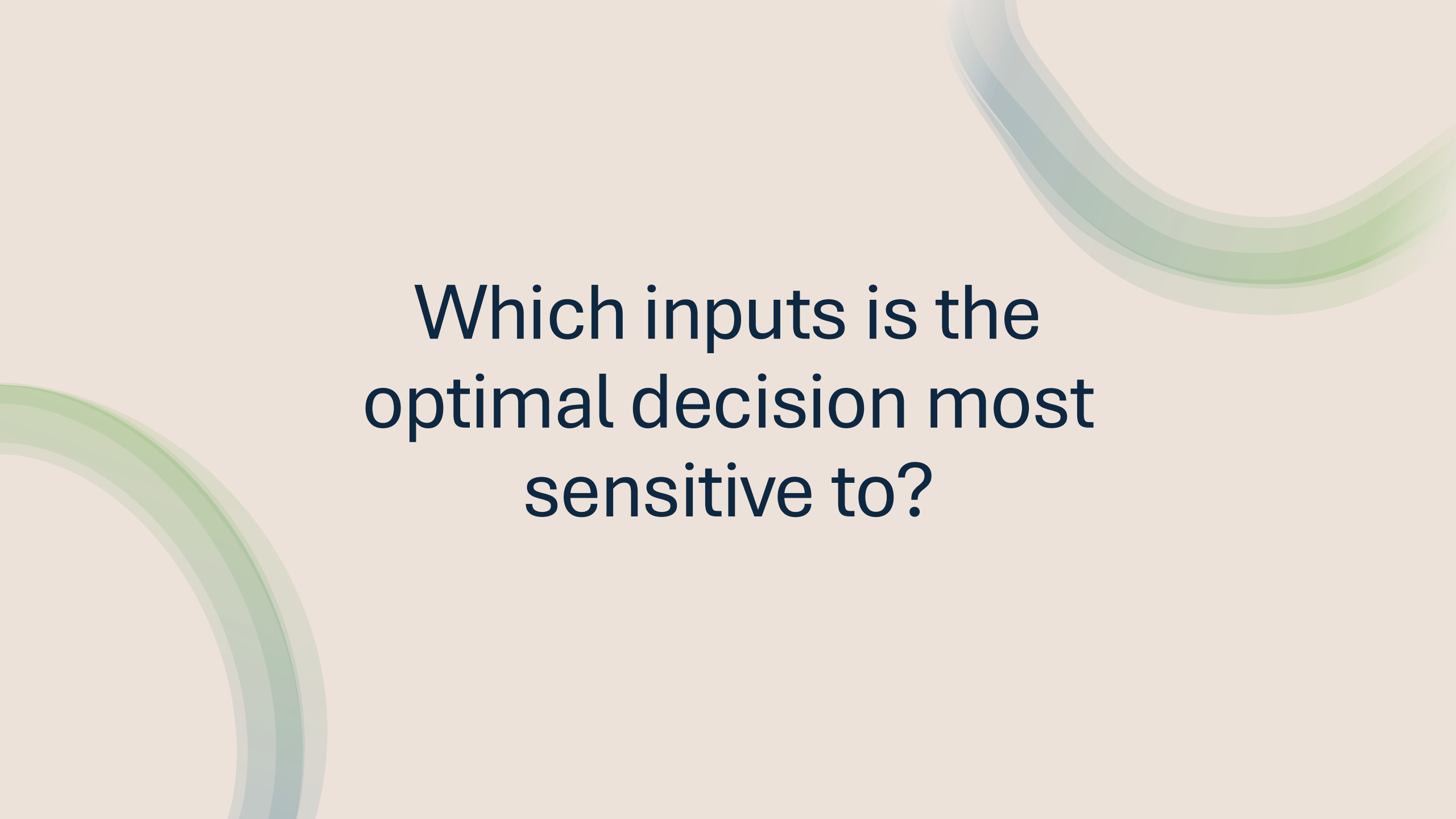


How uncertain is the
optimal decision?

Decision uncertainty

- High uncertainty in climate risk **does not** necessarily translate into high uncertainty in decision
- When accounting for uncertainty in both risk and decision inputs, the decision becomes **far more uncertain**

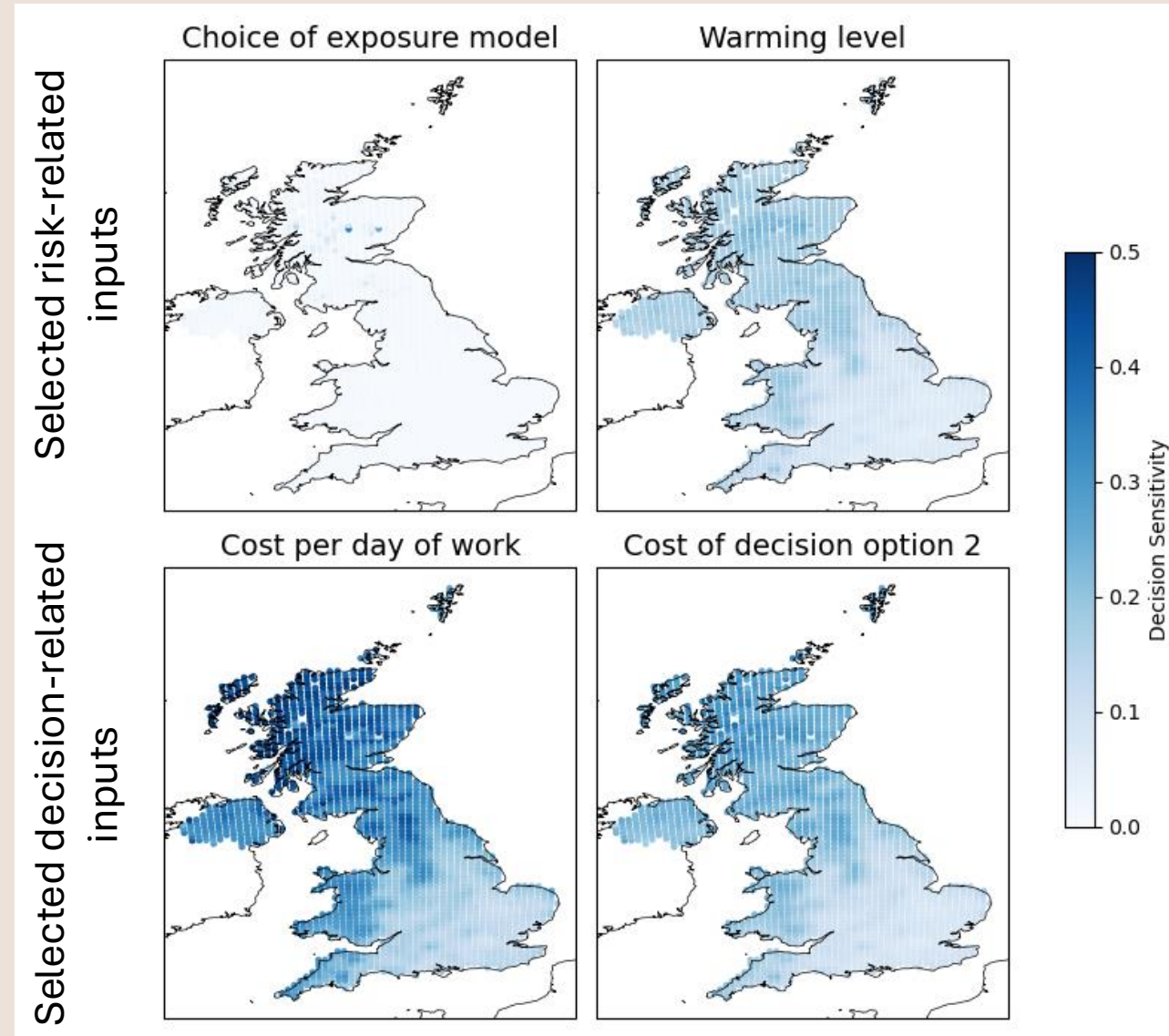




Which inputs is the
optimal decision most
sensitive to?

Decision sensitivity

- The decision is often more sensitive to **decision-related inputs** than to risk-related inputs
- Sensitivity to many inputs **varies regionally**





Conclusions

Conclusions

- Uncertainty and sensitivity analysis should be performed on adaptation decisions, not only on climate risk
- Decisions can be less sensitive to risk-related inputs than they are to decision-related ones
- Uncertainty and sensitivity analyses should be performed on a local basis

What's next?

- Real-world application: electricity distribution network operator
- Theoretical extensions: value of information and sequential decision-making

Questions?



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