



# **From climate risk to action: Analysing adaptation decision robustness under uncertainty**

Cecina Babich Morrow

Supervisors: Laura Dawkins, Dan Bernie, Dennis Prangle

***Met Office Science Profession Seminar***

*10 February 2026*



**Met Office**

NEWS

# Atmospheric carbon dioxide rise to remain too fast to track global climate targets in 2026

Author: Press Office

10:59 (UTC) on Thu 5 Feb 2026

# England enters fourth heatwave as temperatures reach 33.4C

EEA report 01/2026

# Overheated and underprepared: Europeans' experience of living with climate change

Report (PDF) | Published 04 Feb 2026

## WEATHER

[Home](#) | [Weather Warnings](#) | [Flood Warnings](#) | [Monthly Outlook](#) | [Coast and Sea](#) | [Help](#)

# Double record-breaking year for UK as 2025 confirmed as warmest and sunniest on record

“Every fraction of a degree of warming will cause more hospital admissions and heat deaths, putting more strain on the NHS.”

**Professor Antonio Gasparini**  
Lead of the EHM Lab, LSHTM

# What is climate change adaptation and why is it a priority at COP27?

Oct 28, 2022

11 December 2025

UK social homes are unprepared for rising heat as policy fails to keep pace, new research warns

Europe, Physical Risk, UK

July 14, 2025

## Employers told to invest in climate adaptations as workers feel the heat

By [Florence Jones](#)



## Women and Extreme Heat: Simple Adaptations Make a Big Difference

CEO of World Neighbours Dr. Kate Schecter explains how extreme heat undermines women's livelihoods and what can be done to adapt



by **Kate Schecter - CEO of World Neighbors** — December 23, 2025 in [Climate Change](#), [Health](#), [Society](#)

Comment | Published: 29 January 2026

## Climate change adaptation must consider older people

[Liming Yao](#), [Shiqi Tan](#), [Chengwei Lv](#), [Nan Wang](#), [Yoshikuni Yoshida](#) & [Yin Long](#) [✉](#)

[Nature Human Behaviour](#) (2026) | [Cite this article](#)

177 Accesses | 2 Altmetric | [Metrics](#)

**Older adults face higher risks from climate change. We propose an age-sensitive climate adaptation framework, which emphasizes non-digital communication, financial assistance and community-based strategies for older populations.**

# Climate adaptation decision-making

## How can we make robust climate adaptation decisions?

### *Uncertainty in climate risk:*

- Climate projections
- Exposure and vulnerability

### *Uncertainty in characteristics of decision options:*

- Financial costs
- Efficacies
- Characteristics of decision-makers

# Our questions



**Where** are different adaptation options most often optimal?



How **uncertain** is the optimal decision?

How does decision uncertainty relate to climate risk uncertainty?



Which inputs is the optimal decision **most sensitive** to?

How does the sensitivity of the optimal decision vary spatially?



Paper: <https://www.sciencedirect.com/science/article/pii/S2212096325000658>





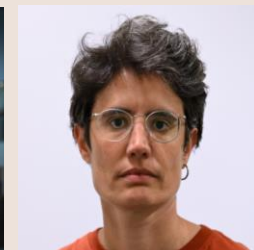
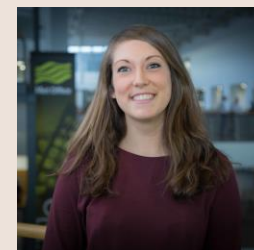
Climate Risk Management

Volume 50, 2025, 100751



## From climate risk to action: Analysing adaptation decision robustness under uncertainty

Cecina Babich Morrow<sup>a</sup>  , Laura Dawkins<sup>b</sup>, Francesca Pianosi<sup>c</sup>, Dennis Prangle<sup>a</sup>, Dan Bernie<sup>b d</sup>






**Example:  
Heat-stress in the UK**

# An idealised example

**What should a UK company do to combat the effects of heat stress?**

- **Risk:** How much is heat going to impact our workers?
- **Adaptation options:** What are the characteristics of our potential adaptations?

**Optimal decision:** What action should we take, given what we know about the risk level and the adaptations?



**Example:  
Heat-stress  
risk**

# Heat stress risk

**Risk:** Expected annual total number of days of physical work lost due to heat stress

Calculated based on:

- **Hazard:** Humidex
- **Vulnerability:** Impact =  $f_{\text{vuln}}$ (hazard intensity)
- **Exposure:** number of people working in outdoor physical jobs (now and in the future)

# Heat stress risk

**Risk:** Expected annual total number of days of physical work lost due to heat stress

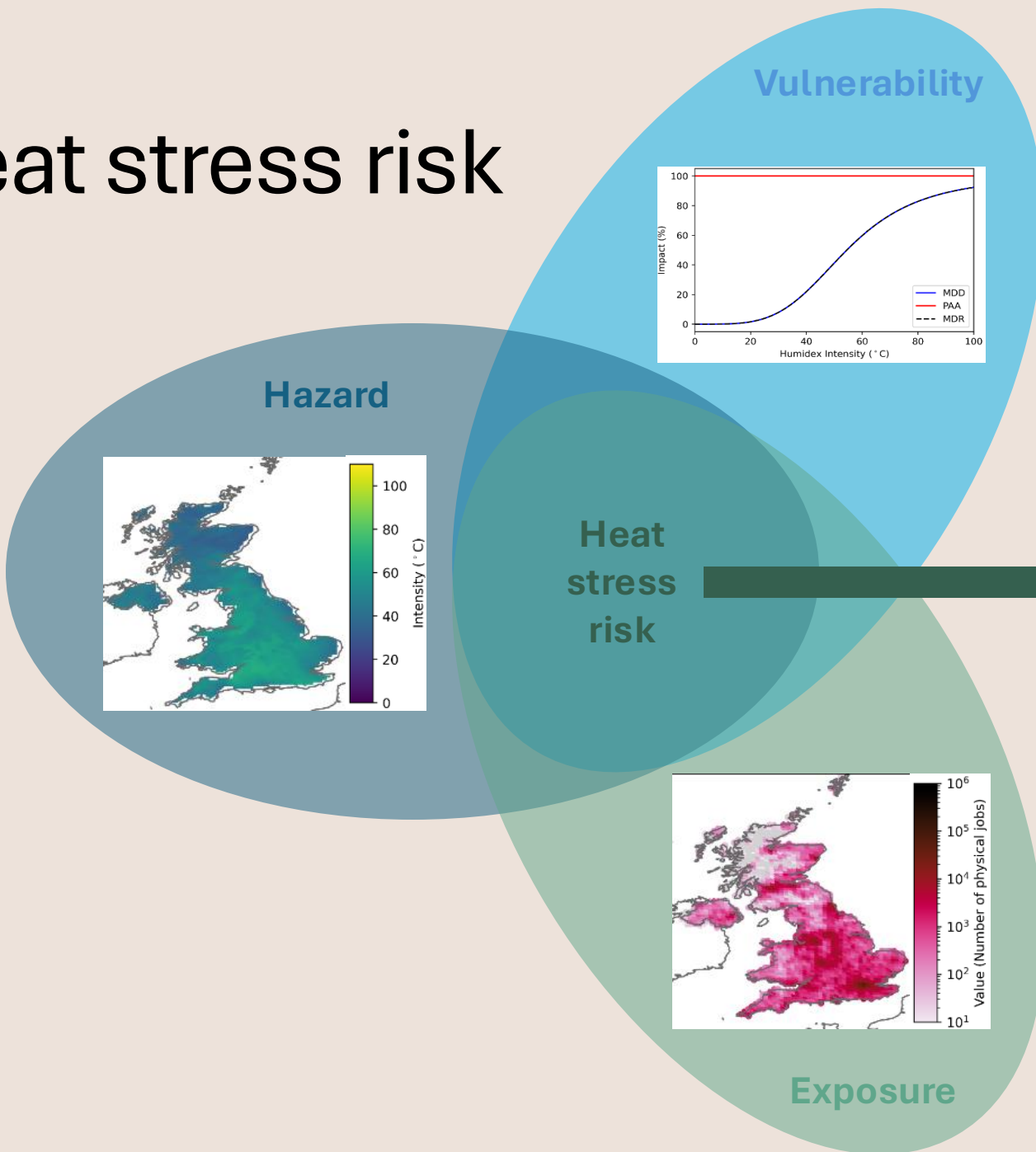
Calculated based on:

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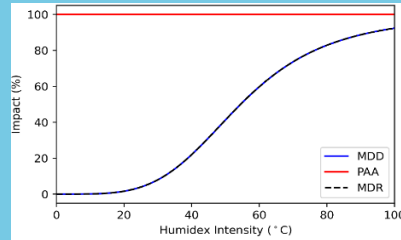
$$\text{Severity} = \text{Exposure} \times f_{\text{vuln}}(\text{hazard intensity})$$

$$\text{Risk} = \text{Probability} \times \text{Severity}$$

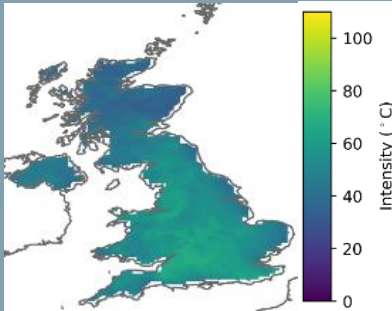
# Heat stress risk



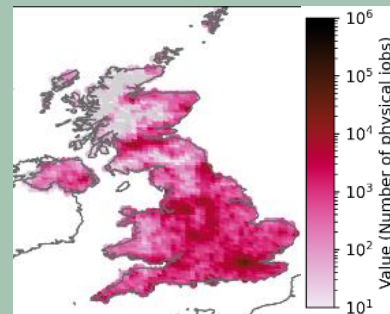
Vulnerability



Hazard

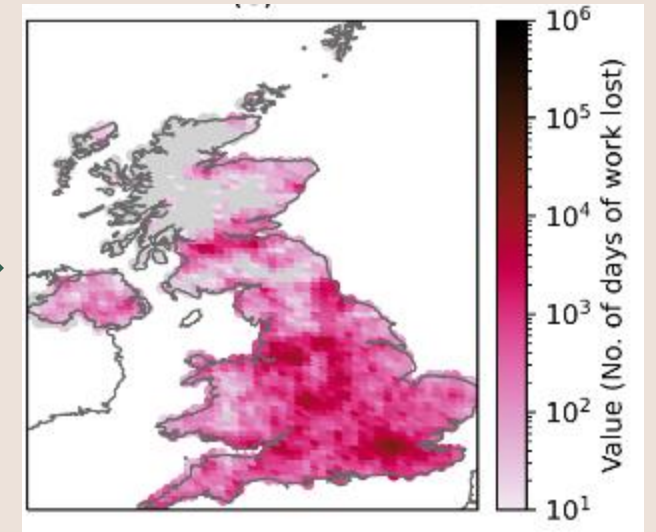


Heat stress risk



Exposure

Risk from 1 ensemble member

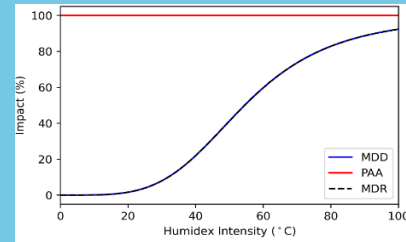


# Quantifying uncertainty

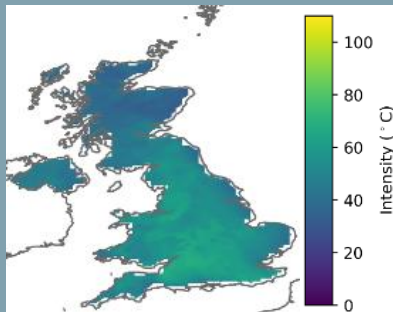
Following Dawkins et al. 2023:

- Input hazard, exposure, and vulnerability data
- Apply a risk assessment model to each climate model ensemble member
- Generate 1000 samples of risk per location using Generalised Additive Models (GAMs)

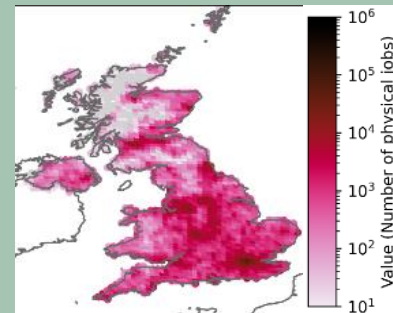
Vulnerability



Hazard



Heat stress risk

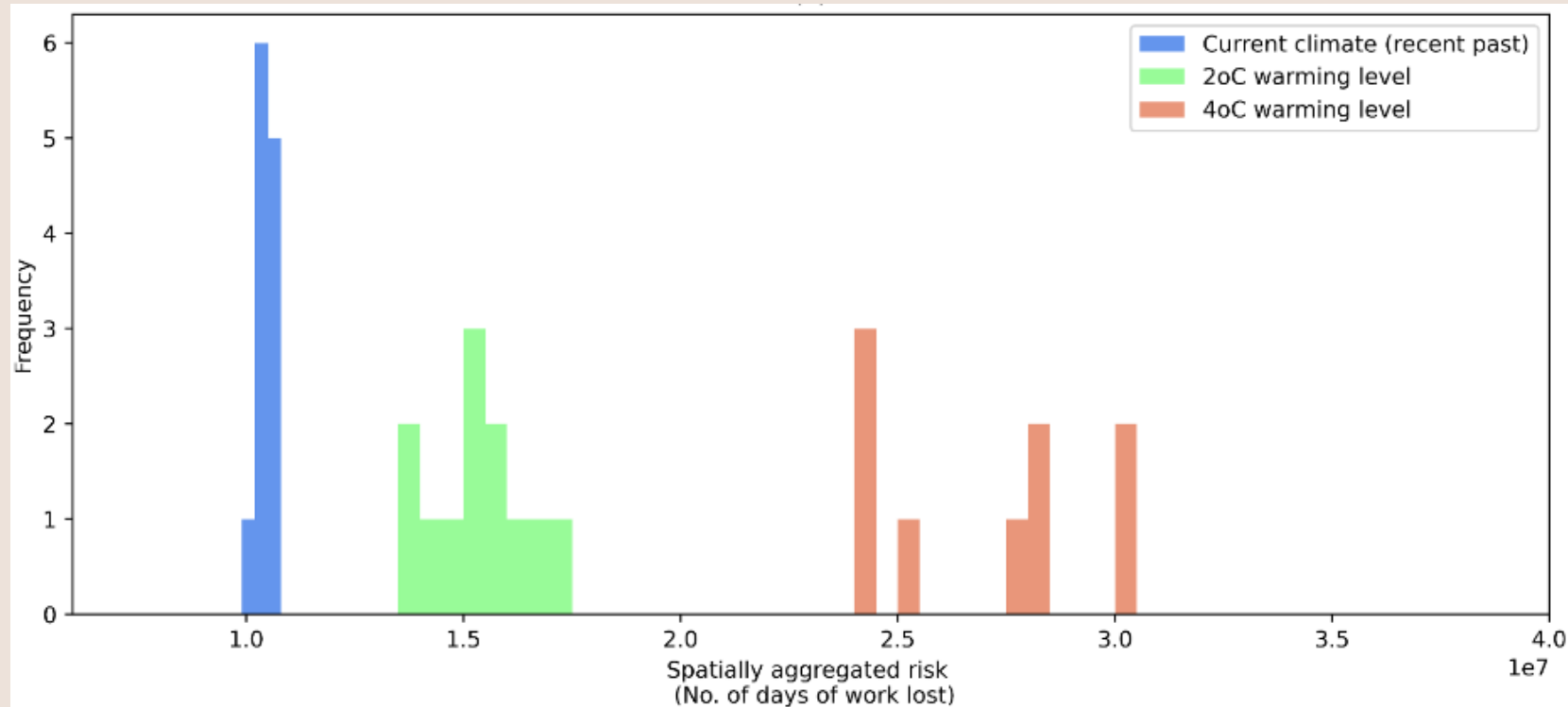


Exposure

**Distribution of risk**  
*1000 samples from GAM*

# Why use GAMs?

We only have  $n = 12$  ensemble members for UKCP18.



Distribution of spatially aggregated risk across the 12 UKCP18 ensemble members for each warming level. (*Reproduced from Dawkins et al. 2023.*)

# Generalised Additive Models

**Generalised Additive Model (GAM):** models response variable using a sum of smooth functions

For climate ensemble member  $m$  and spatial location  $s$ :

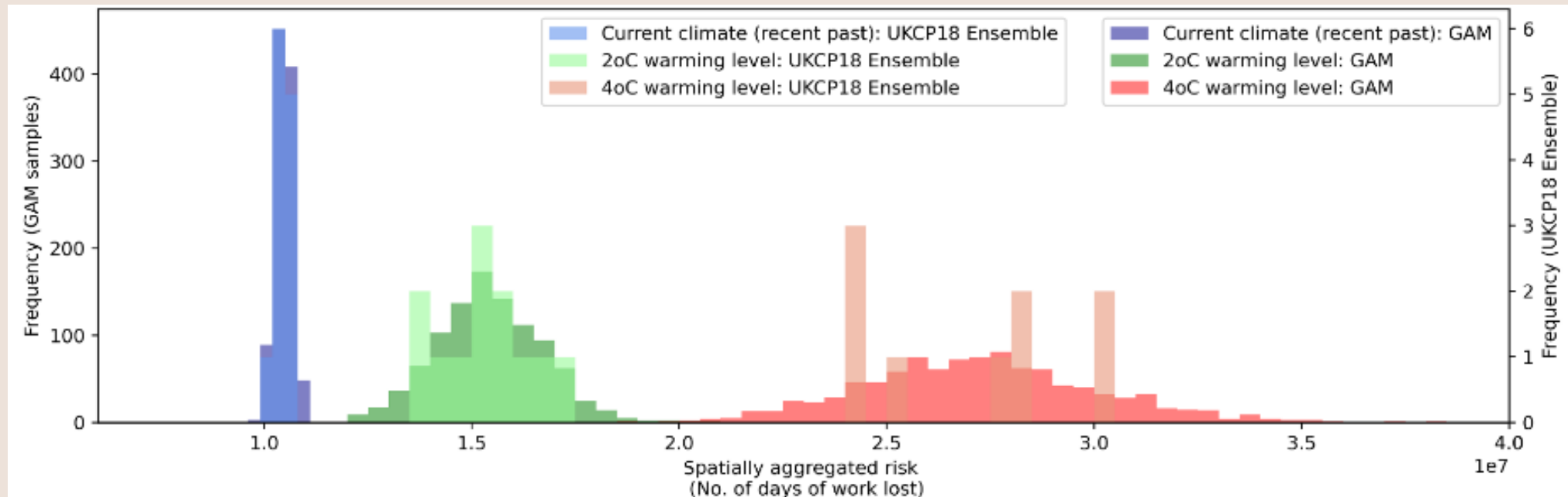
$$\log_{10}(\text{Risk}(m, s)) \sim N(\mu(m, s), \omega^2)$$

$$\mu(m, s) = f(\text{lon}(s), \text{lat}(s), \text{orog}(s), \text{pop}(s)) + \xi_m$$

$$\xi_m \sim N(0, \lambda^2)$$

# Generalised Additive Models

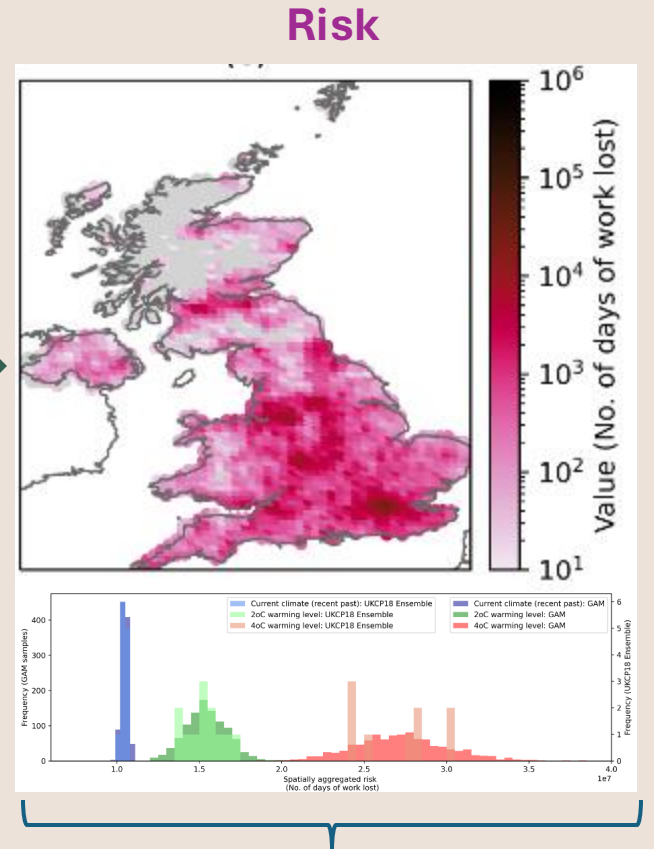
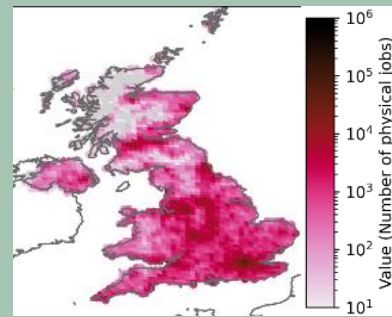
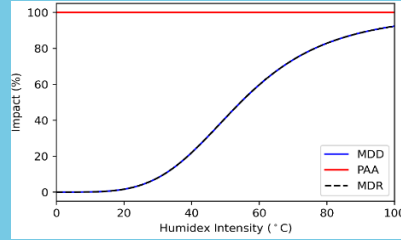
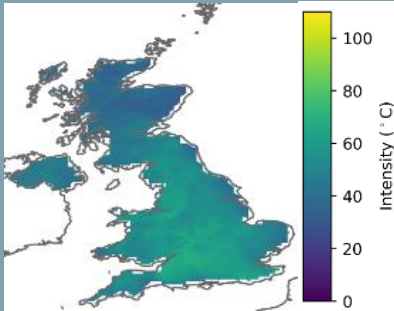
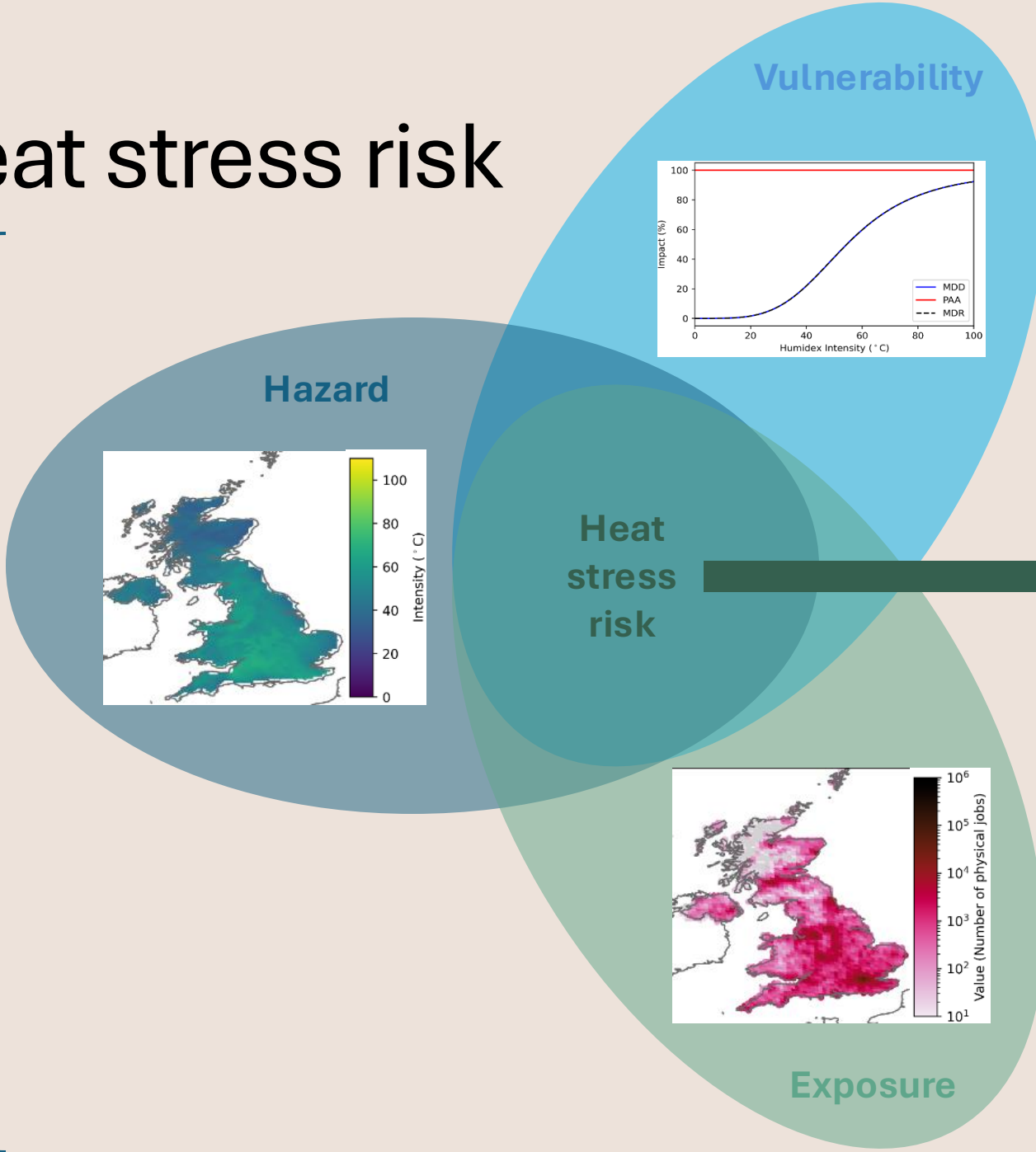
Now we have  $n = 1000$  representations of risk for each warming level.




Distribution of spatially aggregated risk across the 1000 GAM samples for each warming level.  
(Reproduced from Dawkins et al. 2023.)

# Heat stress risk

**Uncertain** about characteristics of hazard, vulnerability, and exposure



...thus **uncertain** about the risk level



**Example:  
Adaptation  
decision-making**

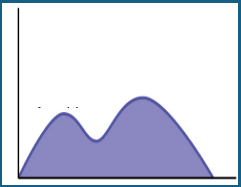
# Potential adaptations

Action	Relative annual cost per person	Relative effectiveness	Alignment with organisational objectives
$d_1$ : Do nothing	No cost	No efficacy	Neutral
$d_2$ : Modify working hours	Lower cost	Moderate efficacy	Fairly well-aligned
$d_3$ : Buy cooling equipment	Highest cost	Highest efficacy	Not aligned with net zero

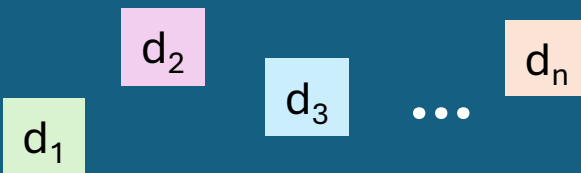
# Bayesian Decision Analysis

Framework for decision-making under an uncertain state of nature

$\Theta$  : states of nature



$\mathcal{D}$  : decisions



$L(\theta, d)$   
loss  
function

$\mathcal{L}$  : losses  
*Loss of making  
decision  $d$  when the  
true state of nature is  $\theta$*

$U(L(\theta, d))$   
utility  
function

$\mathbb{R}$  : utilities  
*Relative utility of each  
decision given state of  
nature*

$d^*$   
*Bayes optimal  
decision*

# Bayes optimal decision

Select the decision that maximises expected utility:

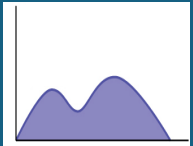
Bayes decision under utility  $U$

Select the decision  $d^*$  such that

$$d^* = \arg \max_d \sum_{\theta \in \Theta} U[L(\theta, d)]p(\theta) = \arg \max_d \bar{U}(d)$$

# Our decision framework

$\Theta$  : expected annual days of work lost to heat stress



$L(\theta, d)$   
loss  
function

$\mathcal{L}$  : losses

- Financial
- Non-financial

$U(L(\theta, d))$   
utility  
function

$\mathbb{R}$  : utilities

Relative utility of each adaptation given level of heat stress

$\mathcal{D}$  : decisions

$d_1$  : do nothing

$d_2$  : modify working hours

$d_3$  : buy cooling equipment

$d^*$

Optimal adaptation decision in each location

# Loss functions

$L(\theta, d)$ : is the loss of making decision  $d$  if the true state of nature is  $\theta$

For a location  $j$ , GAM sample  $n$ , and decision  $i$ :

## **Financial loss:**

$$L_1(\theta_{jn}, d_i) = (\text{cost per person per year}_i \times \text{number of people}_j) \\ + (\text{cost per day of work} \times (1 - \% \text{ effectiveness}_i) \times \theta_{jn})$$

where  $\theta$  is the annual number of working days lost to heat stress

## **Non-financial loss:**

$$L_1(\theta_{jn}, d_i) = 10 - s_i \text{ where } 0 \leq s_i \leq 10$$

# Utility function

$U(L(\theta, d))$ : represents the relative value of each decision

For a location  $j$ , GAM sample  $n$ , and decision  $i$ :

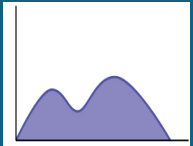
Financial utility	Non-financial utility
$U_1(L_1(\theta_{jn}, d_i)) = 1 - \frac{L_1(\theta_{jn}, d_i)}{\max_{n', i'} L_1(\theta_{jn'}, d_{i'})}$	$U_2(L_2(\theta_{jn}, d_i)) = 1 - \frac{L_2(\theta_{jn}, d_i)}{10}$

**Overall utility function:**

$$U(\theta_{jn}, d_i) = k_1 U_1(L_1(\theta_{jn}, d_i)) + k_2 U_2(L_2(\theta_{jn}, d_i)) \text{ where } k_1, k_2 \geq 0, k_1 + k_2 = 1$$

# Example: optimal decision in Exeter

$\Theta$  : expected annual days of work lost to heat stress



$\mathcal{D}$  : decisions

$d_1$  : do nothing

$d_2$  : modify working hours

$d_3$  : buy cooling equipment

$\mathcal{L}$  : losses

- Financial
- Non-financial

$\mathbb{R}$  : utilities

Relative utility of each adaptation given level of heat stress

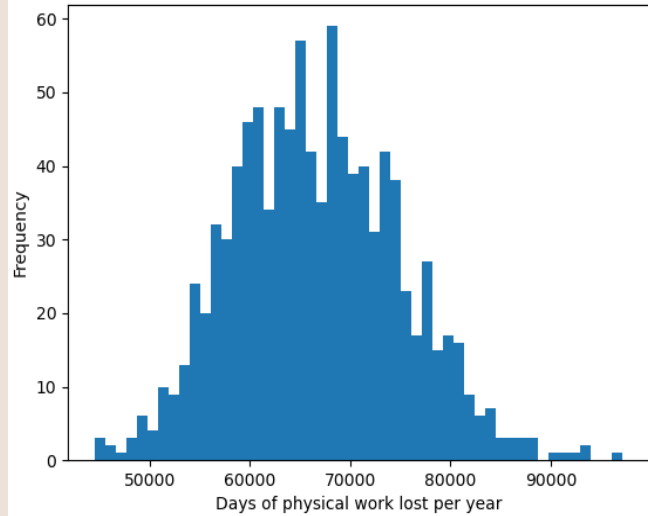
$d^*$

Optimal adaptation decision in each location

# Example: optimal decision in Exeter

## Risk

Expected annual impact in Exeter



## $\mathcal{D}$ : decisions

$d_1$ : do nothing

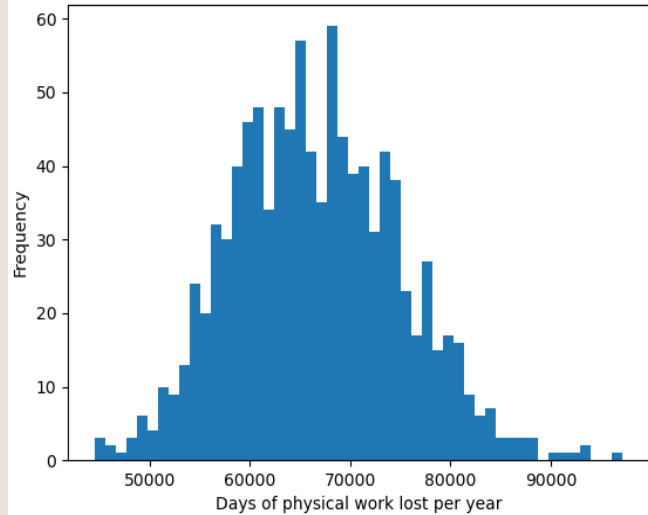
$d_2$ : modify working hours

$d_3$ : buy cooling equipment

# Example: optimal decision in Exeter

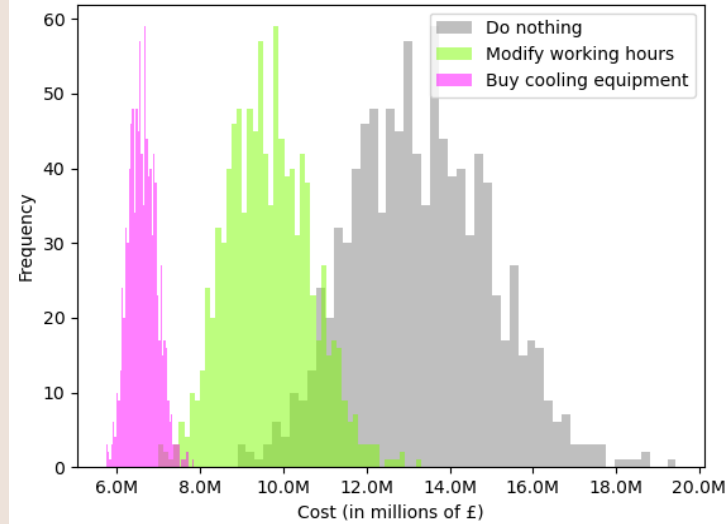
## Risk

Expected annual impact in Exeter



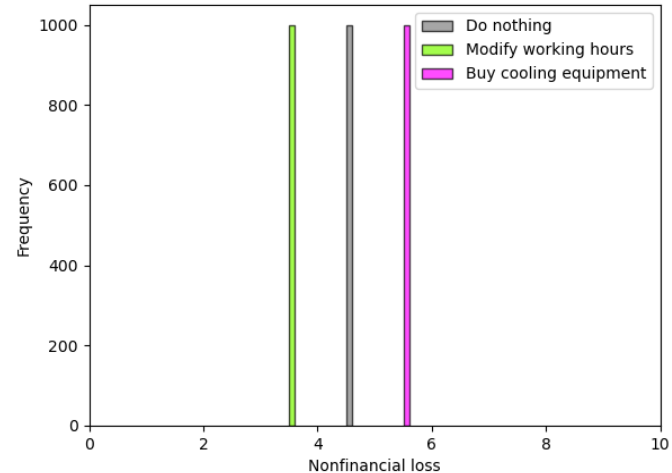
## Financial loss

Cost



## Non-financial loss

Nonfinancial loss



## $\mathcal{D}$ : decisions

$d_1$ : do nothing

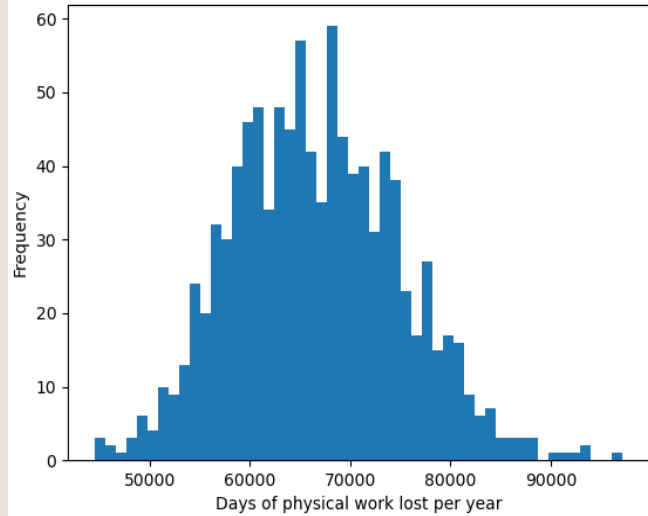
$d_2$ : modify working hours

$d_3$ : buy cooling equipment

# Example: optimal decision in Exeter

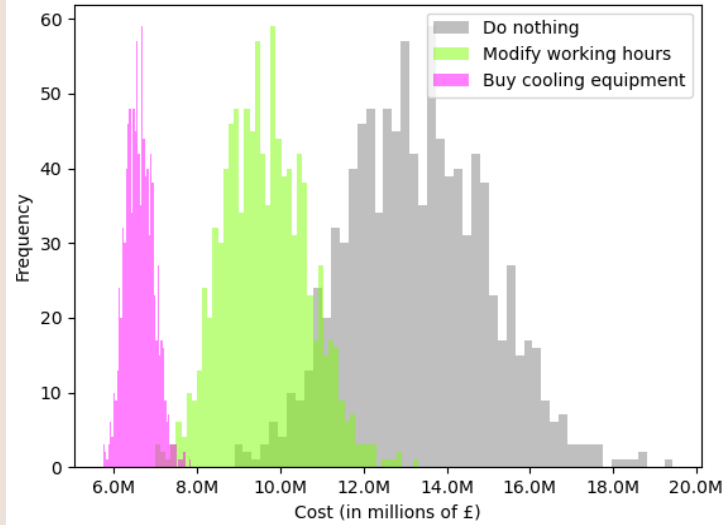
## Risk

Expected annual impact in Exeter



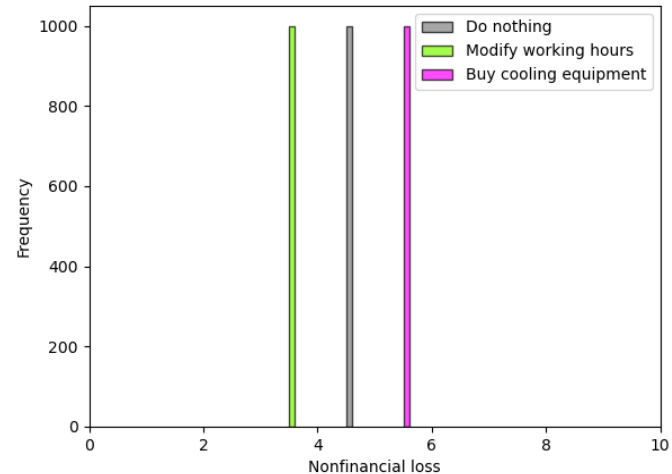
## Financial loss

Cost



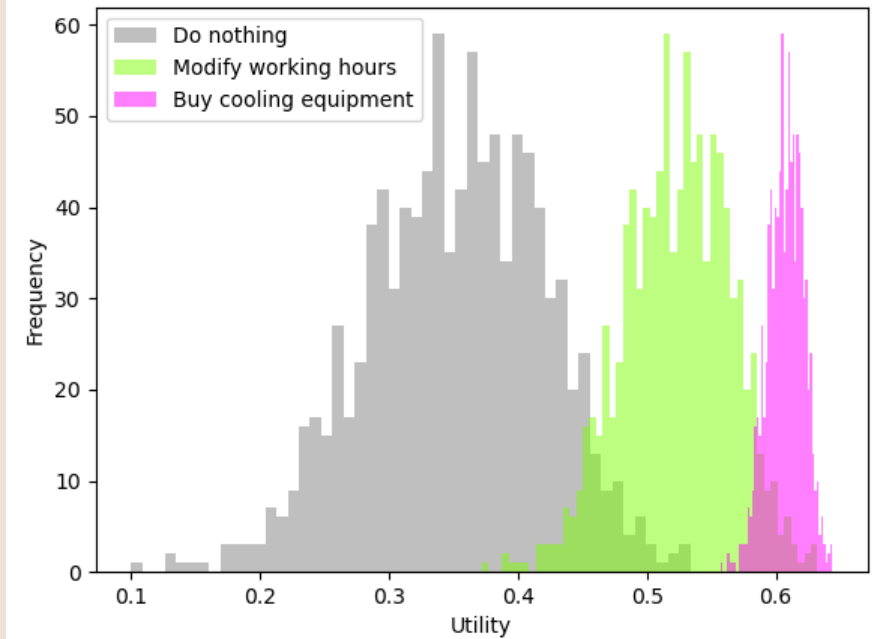
## Non-financial loss

Nonfinancial loss



## Utility

Utility



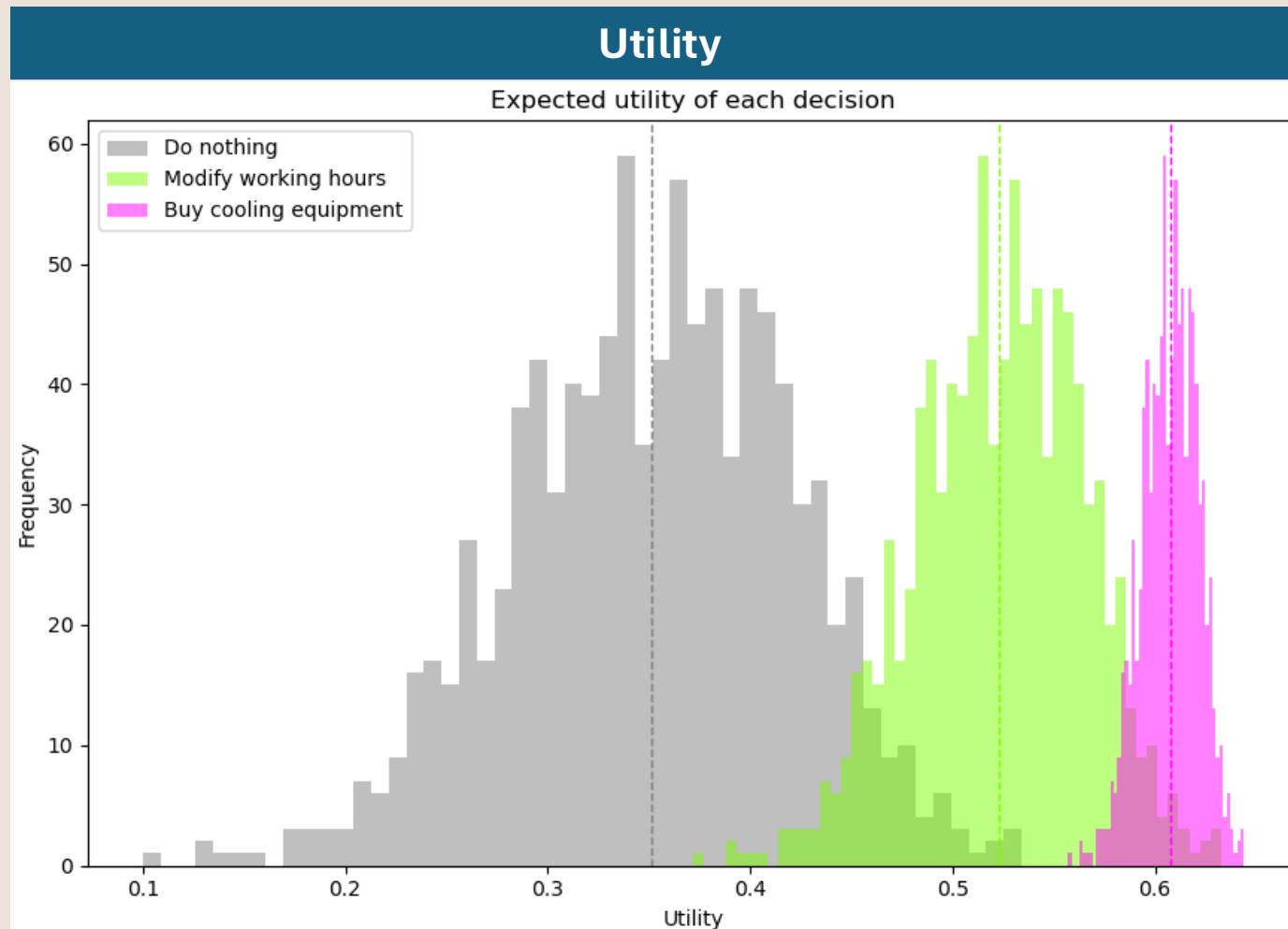
## $\mathcal{D}$ : decisions

$d_1$ : do nothing

$d_2$ : modify working hours

$d_3$ : buy cooling equipment

# Optimal decision in Exeter

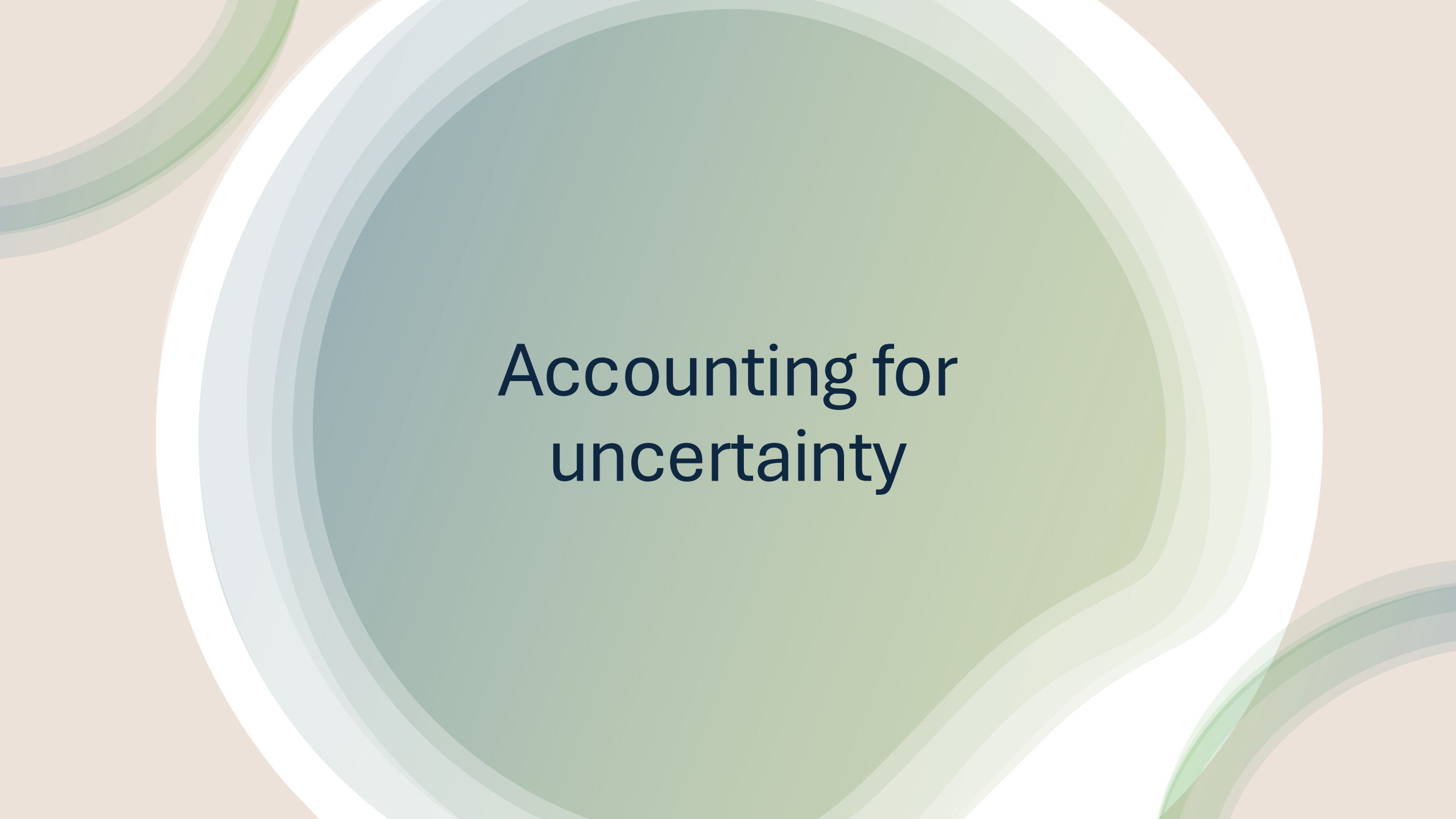


$d^*$   
Optimal  
adaptation  
decision:  
**Buy cooling  
equipment**

# Potential adaptations

Action	Relative annual cost per person	Relative effectiveness	Alignment with organisational objectives
$d_1$ : Do nothing	No cost	No efficacy	Neutral
$d_2$ : Modify working hours	Lower cost	Moderate efficacy	Fairly well-aligned
$d_3$ : Buy cooling equipment	Highest cost	Highest efficacy	Not aligned with net zero

**Uncertain** about these values and their relative importance to the decision-maker

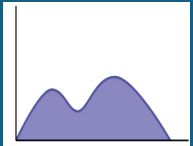


# Accounting for uncertainty



**Uncertainty  
in risk**

$\Theta$  : expected annual days of work lost to heat stress



$\mathcal{D}$  : decisions

$d_1$  : do nothing

$d_2$  : modify working hours

$d_3$  : buy cooling equipment

$L(\theta, d)$   
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function

$\mathcal{L}$  : losses

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$\mathbb{R}$   
Relative utility of each  
adaptation given level  
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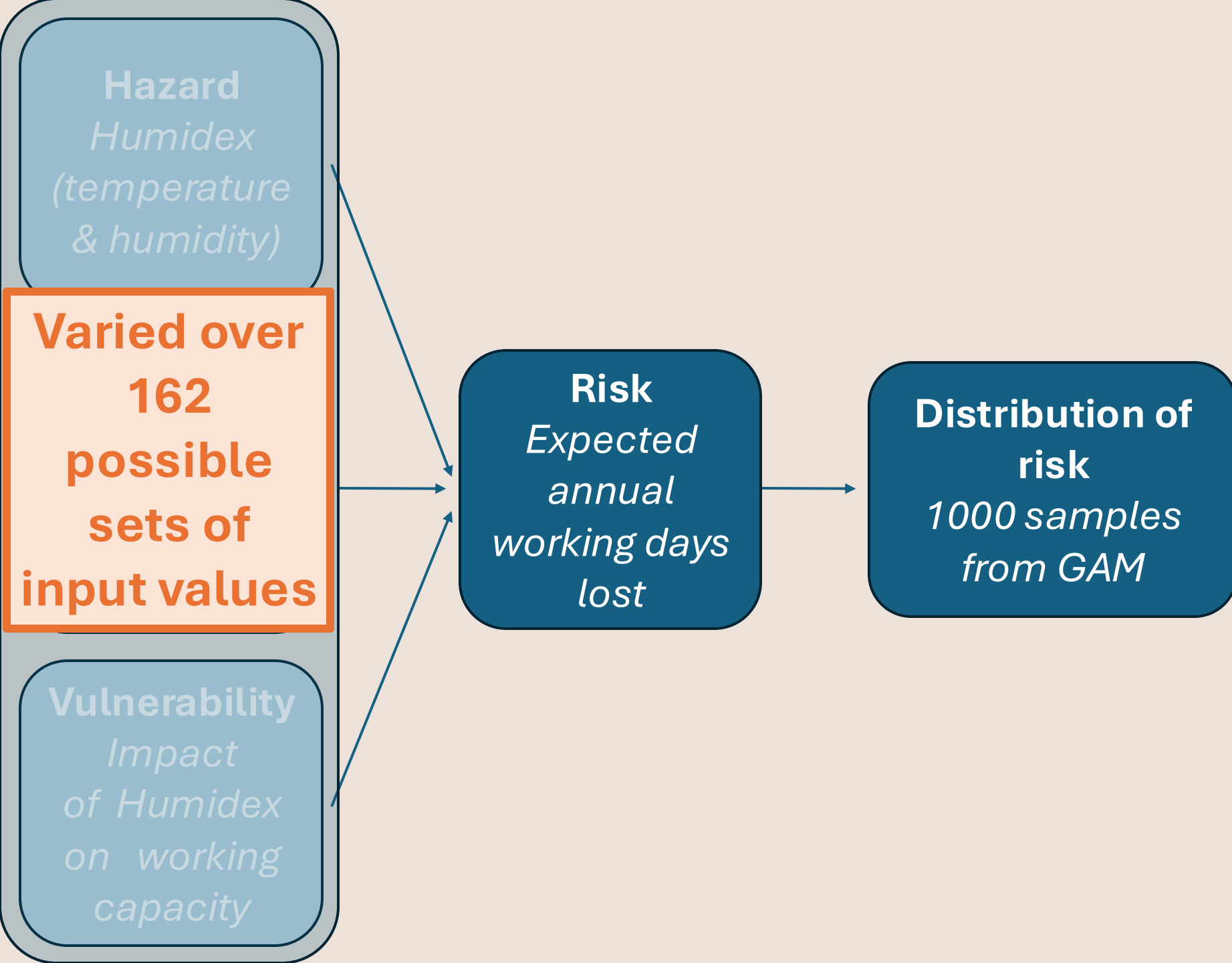
$d^*$   
Optimal adaptation  
decision in each  
location

# Uncertain risk-related inputs

Used GAMs to quantify the uncertainty in risk for a specific set of hazard, exposure, and vulnerability inputs

But we are still uncertain about our choices for those inputs

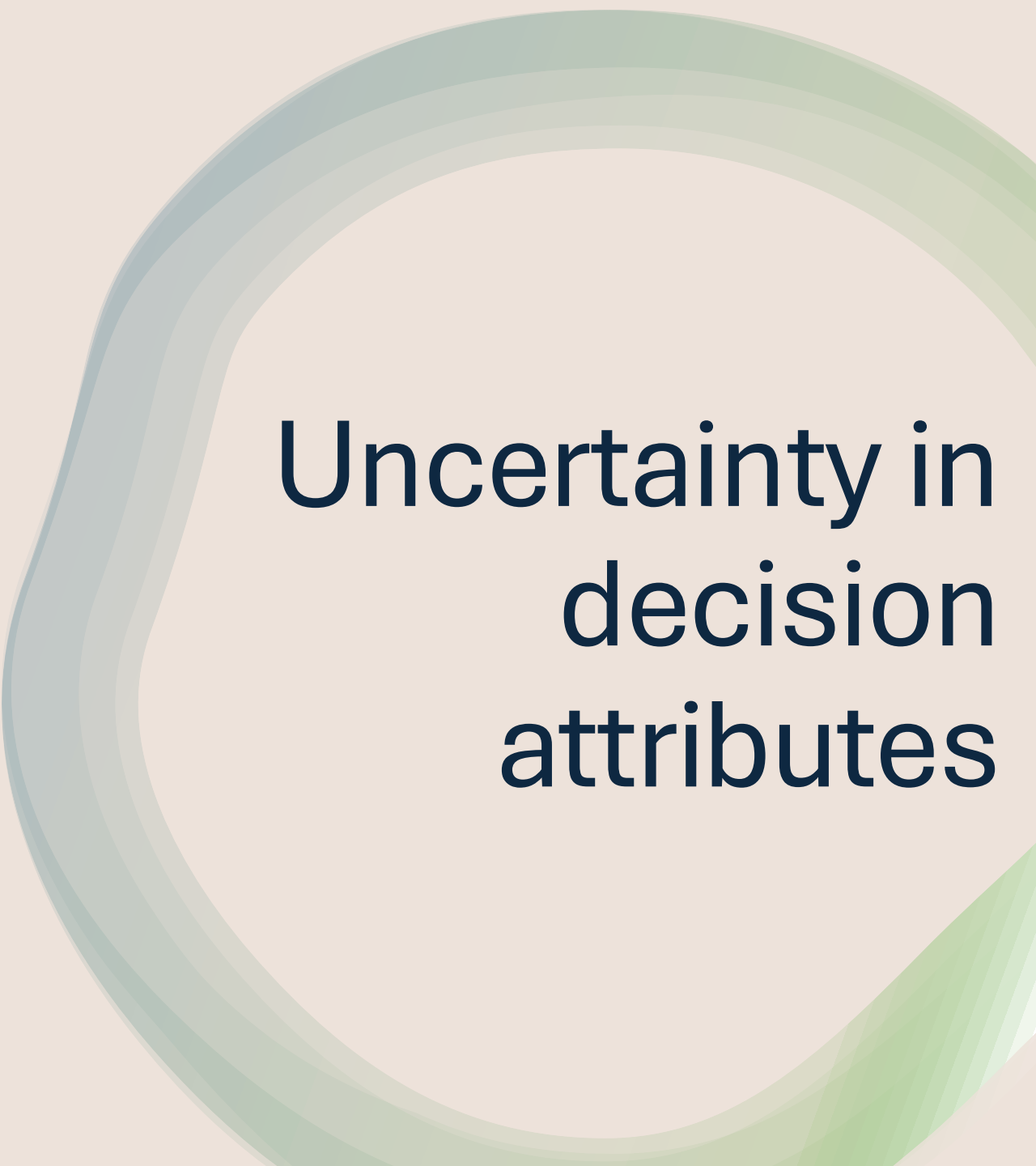
Risk-related input	Possible values
Calibration method	Uncalibrated, Bias corrected, Change factor
Warming level	+2 °C above pre-industrial, +4 °C above pre-industrial
Socio-economic pathway	SSP1 (sustainability), SSP2 (middle of the road), SSP5 (fossil-fuelled development)
Vulnerability function parameter 1	Lower bound (53.78 °C), Mean value (54.5 °C), Upper bound (55.79 °C)
Vulnerability function parameter 2	Lower bound (-4.597%/°C), Mean value (-4.1%/°C), Upper bound (-3.804%/°C)



# Uncertain risk-related inputs

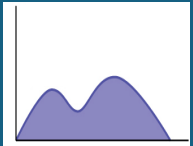
Sample the risk for each combination of plausible values for 5 risk-related inputs:

- Hazard: calibration method, warming level
- Exposure: exposure model
- Vulnerability: function parameters



**Uncertainty in  
decision  
attributes**

$\Theta$  : expected annual days of work lost to heat stress



$L(\theta, d)$   
loss  
function

$\mathcal{L}$  : losses

- Financial
- Non-financial

$U(L(\theta, d))$   
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$\mathbb{R}$   
*Relative utility of each  
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$\mathcal{D}$  : decisions

$d_1$  : do nothing

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$d_3$  : buy cooling equipment

$d^*$

*Optimal adaptation  
decision in each  
location*

# Uncertain decision-related inputs

## Financial loss:

$$L_1(\theta_{jn}, d_i) = (\text{cost per person per year}_i \times \text{number of people}_j) \\ + (\text{cost per day of work} \times (1 - \% \text{ effectiveness}_i) \times \theta_{jn})$$

## Non-financial loss:

$$L_2(\theta_{jn}, d_i) = 10 - s_i$$

## Utility:

$$U(\theta_{jn}, d_i) = k_1 U_1(L_1(\theta_{jn}, d_i)) + k_2 U_2(L_2(\theta_{jn}, d_i))$$

Varied by taking 200 samples from a range of plausible values

# Overall process

- Vary the risk-related inputs across a range of 162 combinations → record the optimal decision in each location
- Vary both risk-related and decision-related inputs across a range of  $162 \times 200 = 32,400$  combinations → record the optimal decision in each location
- Characterise the uncertainty of the optimal decision & its sensitivity to each input



# Uncertainty & sensitivity analysis

# Quantifying uncertainty

Discrete approach:

- Find the number of adaptation options that are optimal for ***at least one*** combination of input parameters

Continuous approach:

- Determine the ***percentage*** of combinations for which each of the three decisions was optimal

# Quantifying sensitivity

PAWN method for a continuous output:

- **Global** sensitivity analysis method
- For a model of the form  $y = f(\mathbf{x})$  and a particular input variable  $x_i$ :

- Distance between unconditional CDF and conditional CDF:

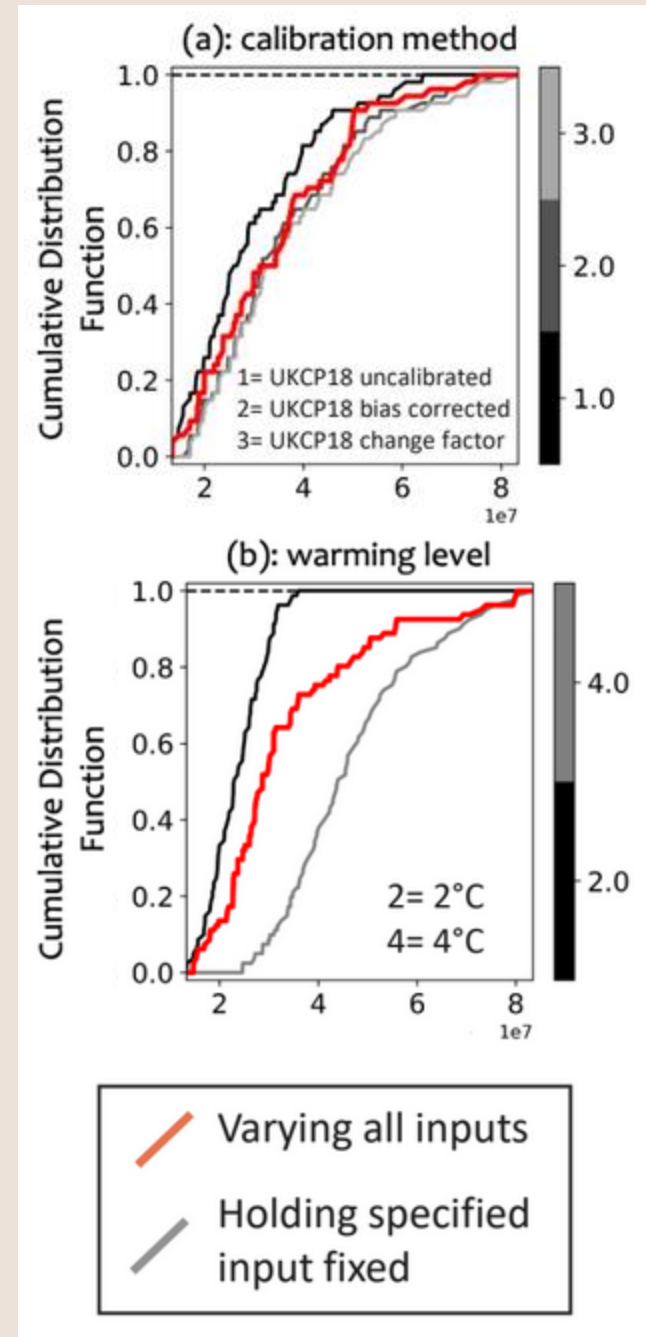
$$KS(x_i) = \max_y |F_y(y) - F_{y|x_i}(y)|$$

Maximum distance between unconditional (red) and one conditional (grey) distribution

- PAWN sensitivity index:

$$S_i = \text{stat}_{x_i} [KS(x_i)]$$

Average of the maximum distances across all grey distributions



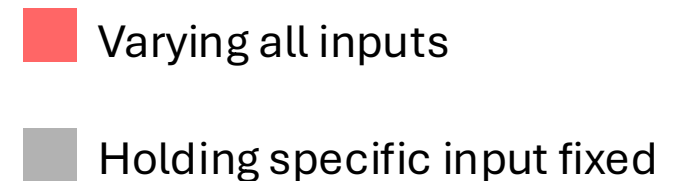
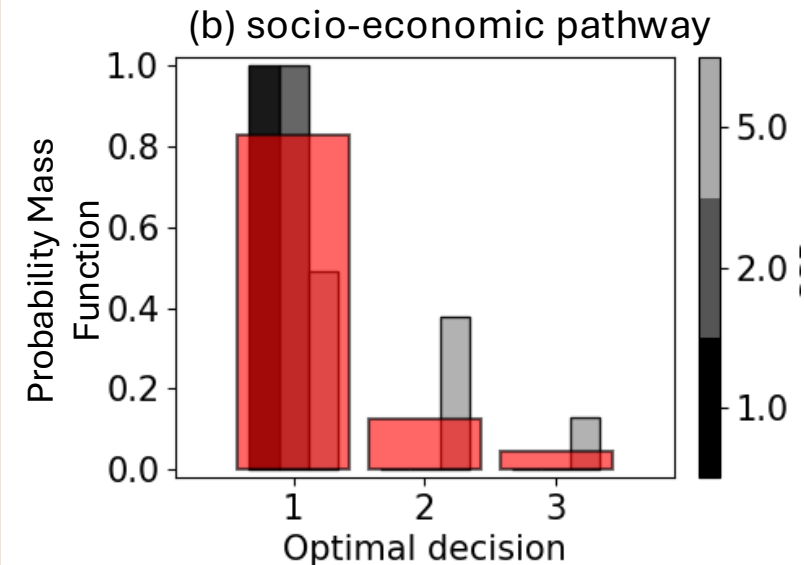
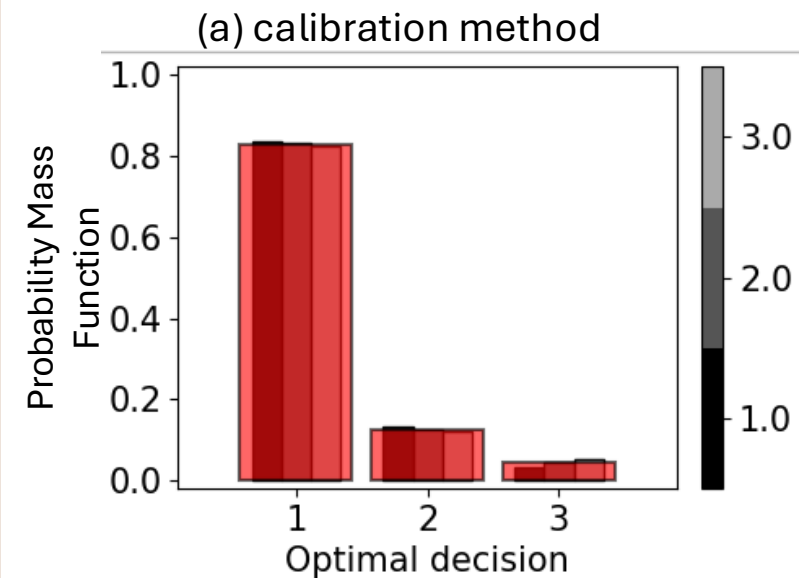
# Quantifying sensitivity

Modified PAWN method for a discrete output:

- For a model of the form  $y = f(\mathbf{x})$  and a particular input variable  $x_i$ :
  - Modified PAWN sensitivity index:


$$S_i = \text{stat}_{x_i} \left[ \max_y |f_y(y) - f_{y|x_i}(y)| \right]$$

Average of the maximum distance between the red bar and the grey bars





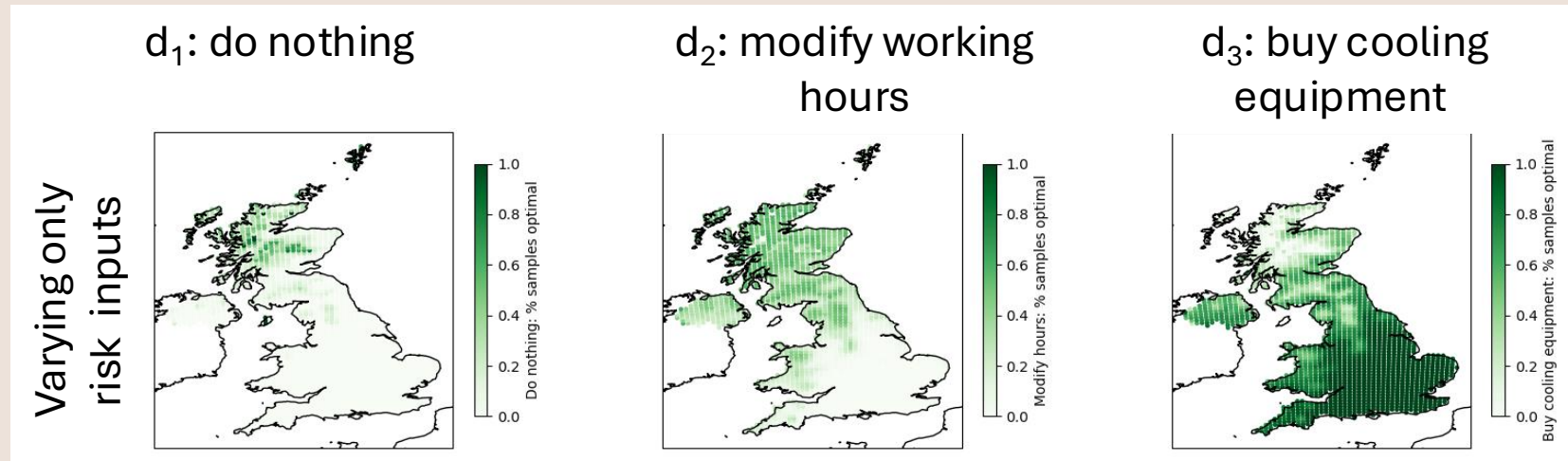
# Results



**Where** are the different adaptation options most often optimal?

# Optimal decision by location

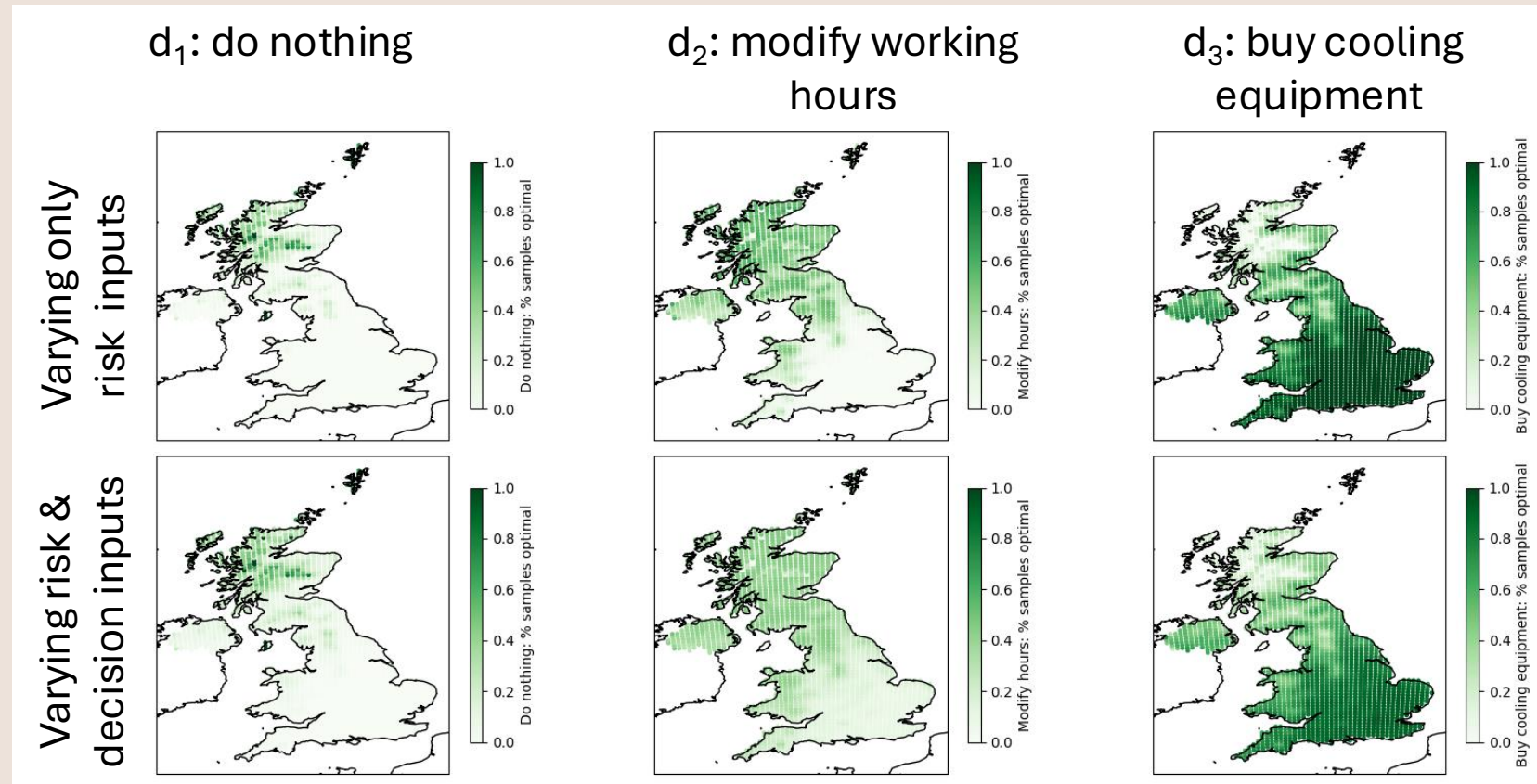
- **Spatial** distribution of where certain decisions are more often optimal

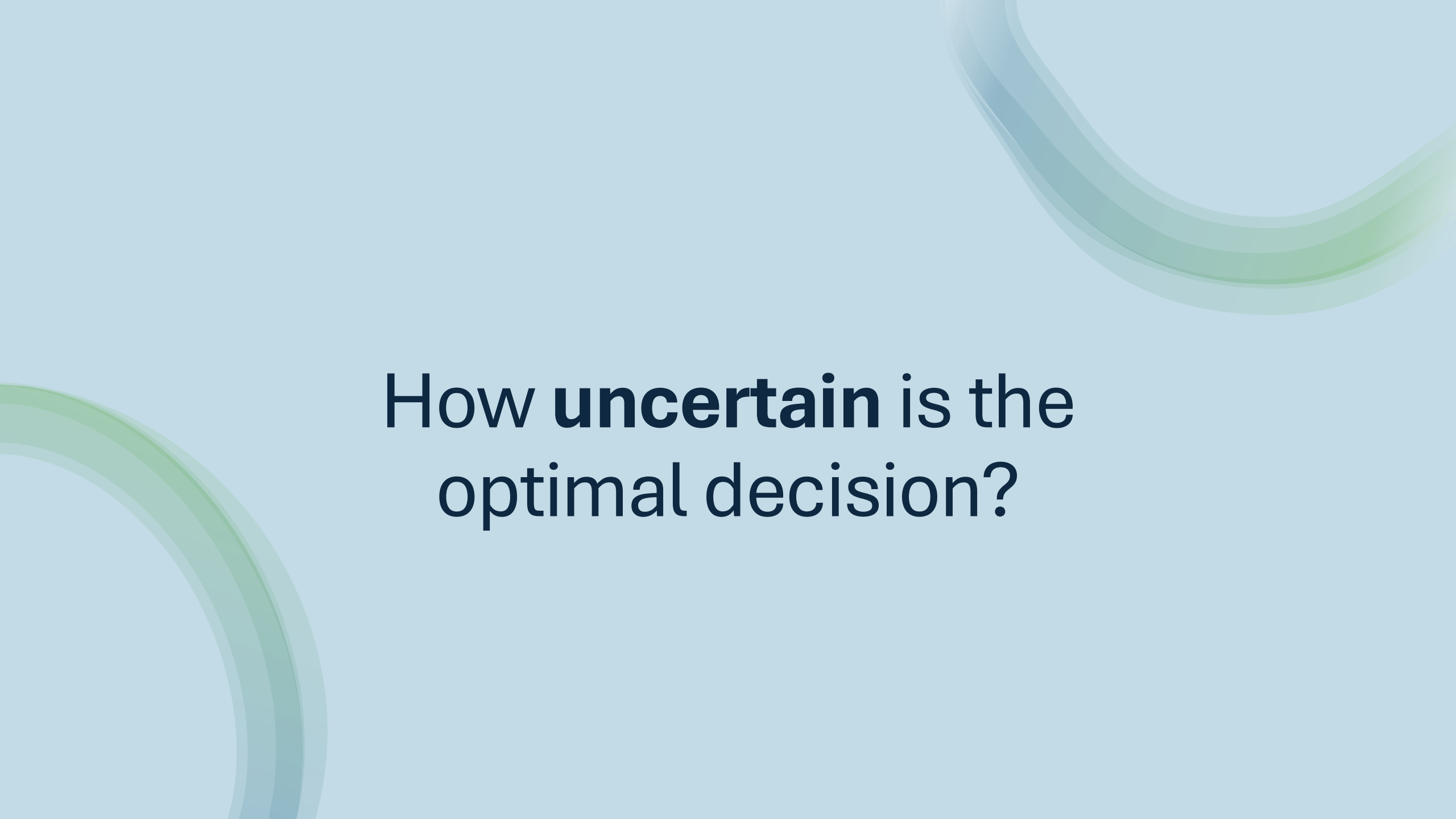


# Optimal decision by location

- **Spatial** distribution of where certain decisions are more often optimal
- We are less certain in the decision when varying risk **and** decision-related inputs

BDA provides logical adaptation decisions across the country.

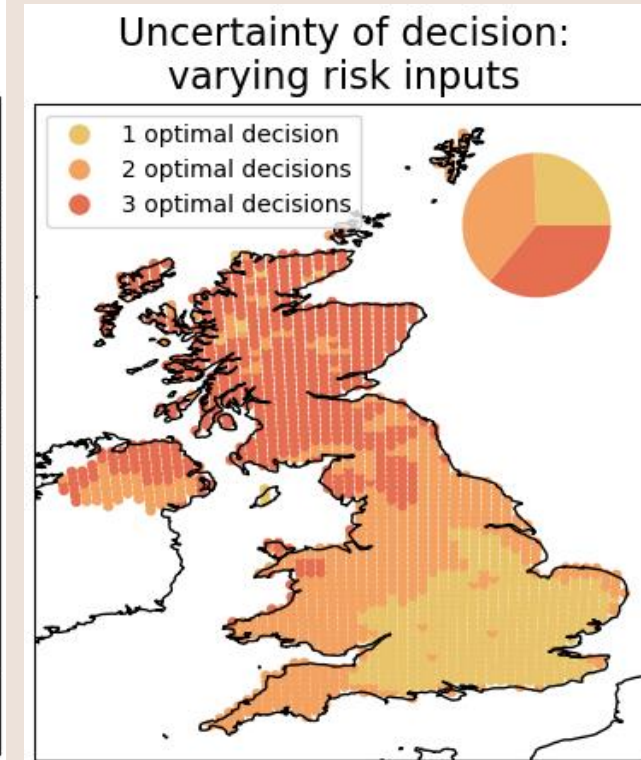
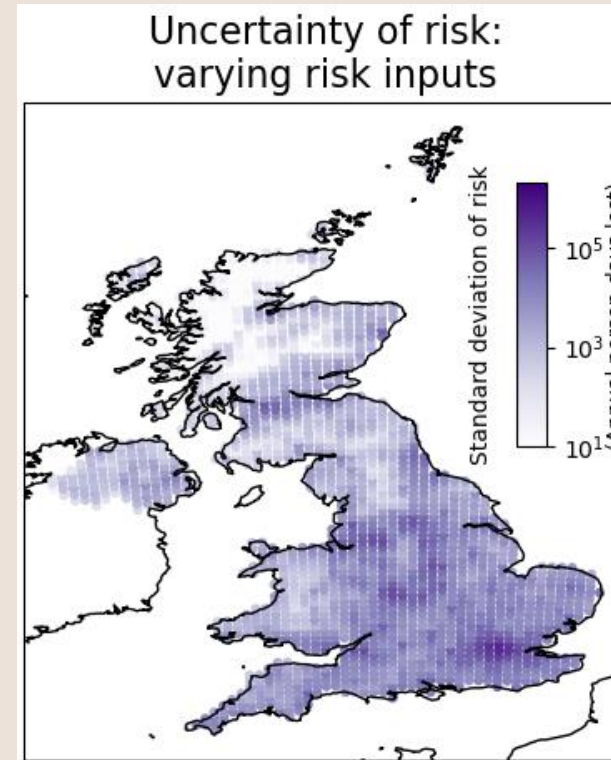




How **uncertain** is the  
optimal decision?

# Decision uncertainty

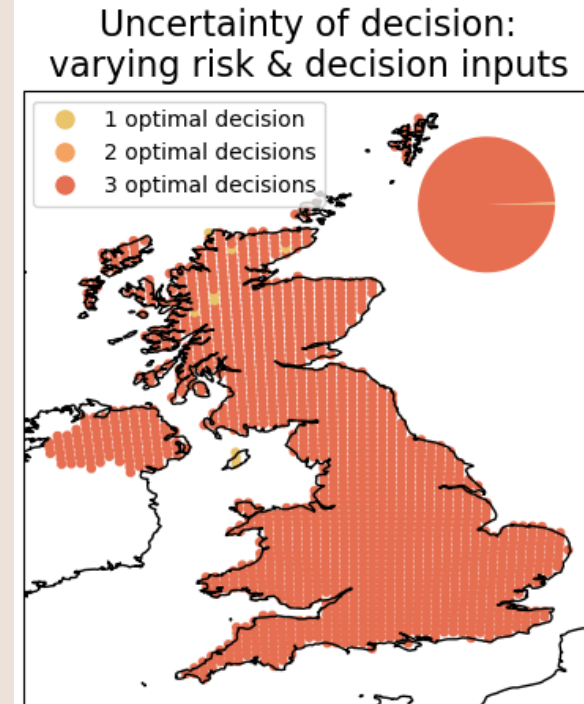
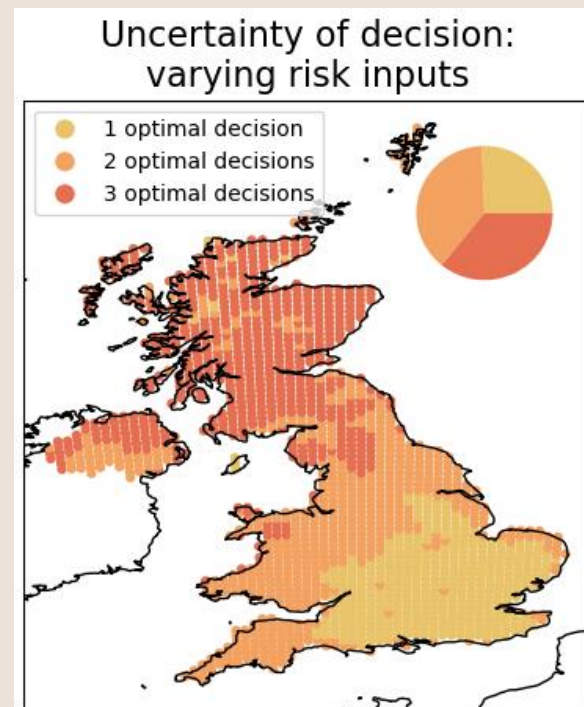
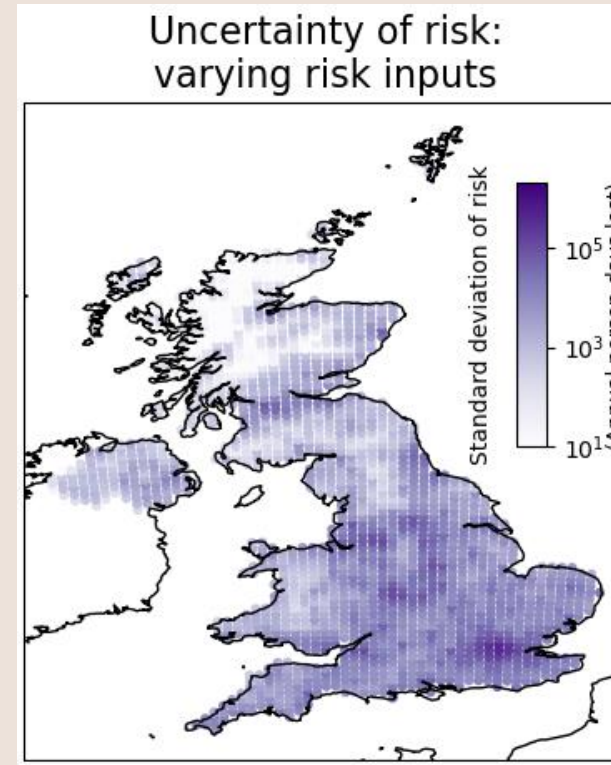
- High uncertainty in climate risk **does not** necessarily translate into high uncertainty in decision

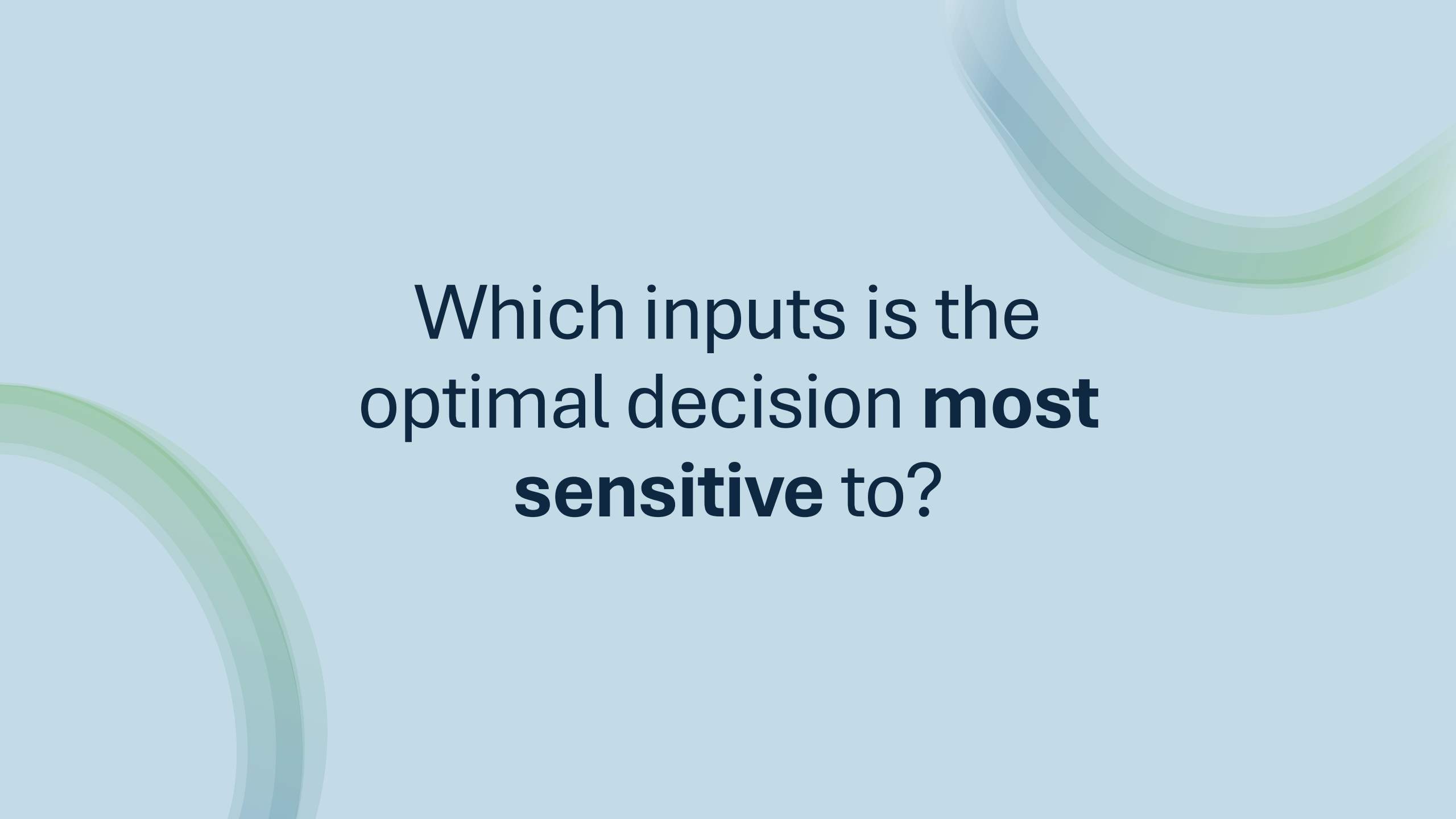


# Decision uncertainty

- High uncertainty in climate risk **does not** necessarily translate into high uncertainty in decision
- When accounting for uncertainty in both risk and decision inputs, the decision becomes **far more uncertain**

Uncertainty analysis must be performed on the adaptation decision, not on climate risk alone.



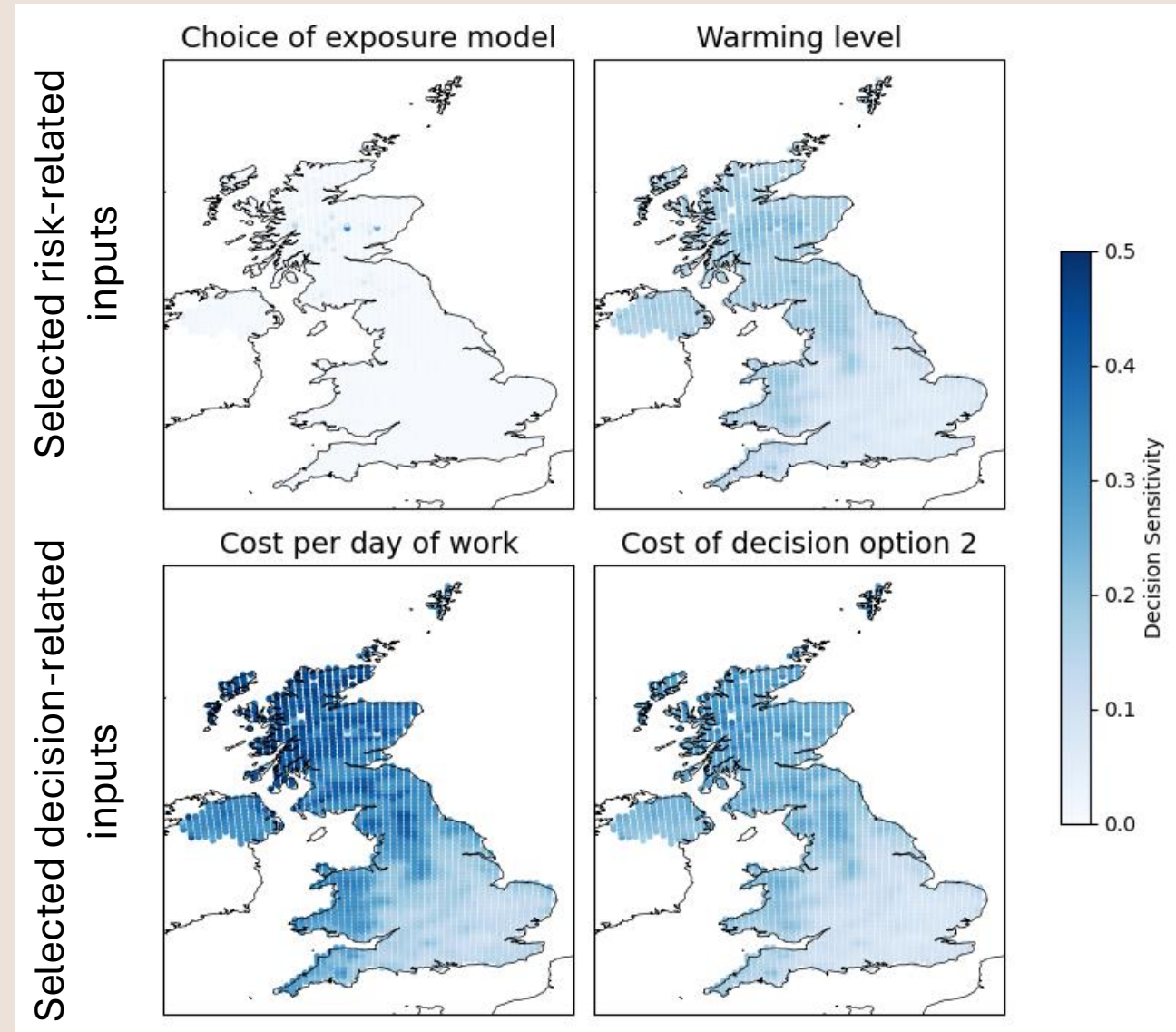


Which inputs is the optimal decision **most sensitive** to?

# Decision sensitivity

- The decision is often more sensitive to **decision-related inputs** than to risk-related inputs
- Sensitivity to many inputs **varies regionally**

Local sensitivity analysis can be used to prioritise data-gathering efforts for decision-makers.





# Conclusions

# Conclusions

- We can use BDA to find reasonable adaptation decisions **across space**.
- Uncertainty and sensitivity analysis should be performed **on adaptation decisions**, not only on climate risk
- Decisions **can be less sensitive** to risk-related inputs than they are to decision-related ones
- Uncertainty and sensitivity analyses should be performed **on a local basis**

# What's next?

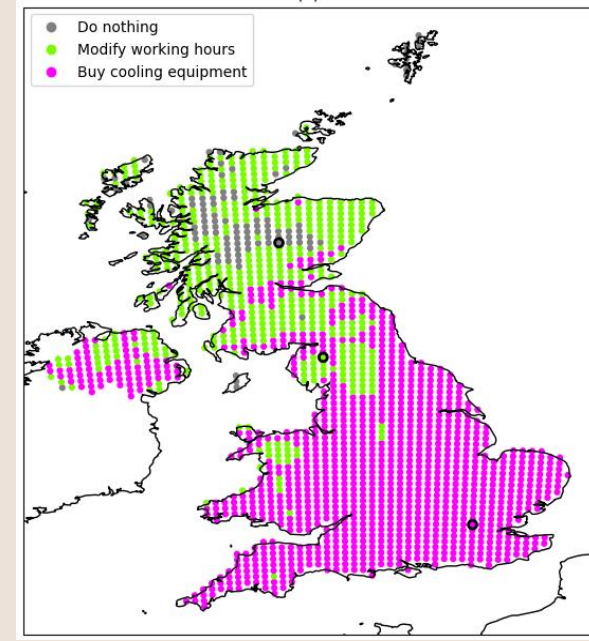
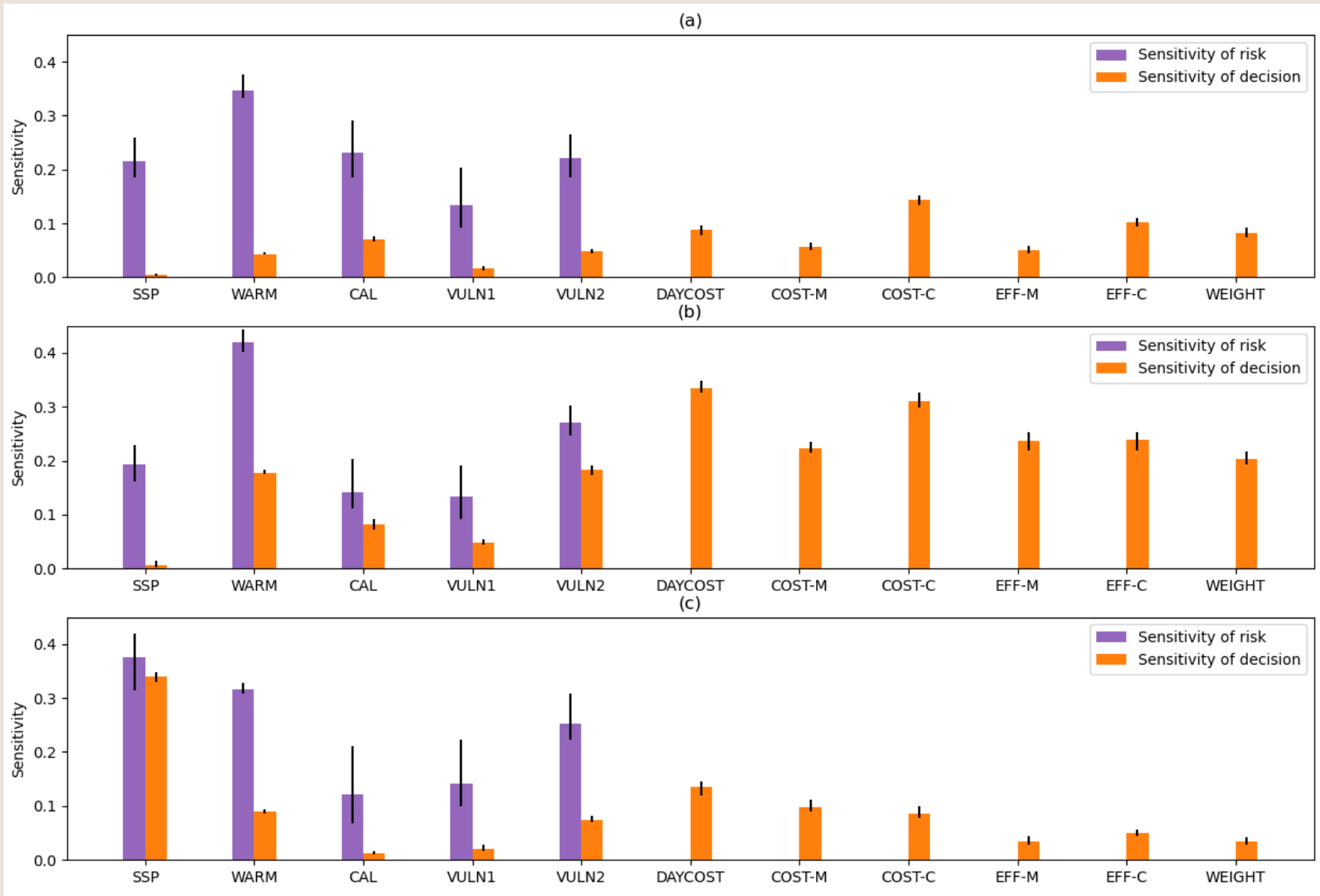
- Real-world application
  - Case study with an electricity distribution network operator
- Extensions to decision theory/sensitivity analysis methods
  - Value of Information: what is the value to the decision-maker of learning more about a particular input?
  - Decision-making across time, as well as space
  - Comparison to other decision-making methods



Paper: <https://www.sciencedirect.com/science/article/pii/S2212096325000658>

# Questions?

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Sensitivity of risk (purple) and of the optimal decision (orange) to the eleven uncertain input factors for three locations.